

Non-classical response from quench-cooled solid helium confined in porous gold

This article has been downloaded from IOPscience. Please scroll down to see the full text article.

2010 New J. Phys. 12 033004

(<http://iopscience.iop.org/1367-2630/12/3/033004>)

View [the table of contents for this issue](#), or go to the [journal homepage](#) for more

Download details:

IP Address: 143.248.118.107

The article was downloaded on 13/02/2012 at 07:20

Please note that [terms and conditions apply](#).

Non-classical response from quench-cooled solid helium confined in porous gold

D Y Kim¹, S Kwon¹, H Choi¹, H C Kim² and E Kim^{1,3}

¹ Center for Supersolid and Quantum Matter Research and Department of Physics, KAIST, Daejeon 305-701, Republic of Korea

² National Fusion Research Institute (NFRI), Daejeon 305-333, Republic of Korea

E-mail: eunseong@kaist.edu

New Journal of Physics **12** (2010) 033004 (10pp)

Received 15 December 2009

Published 5 March 2010

Online at <http://www.njp.org/>

doi:10.1088/1367-2630/12/3/033004

Abstract. The non-classical rotational inertia (NCRI) in solid helium was detected by a drop in the resonant period of a torsional oscillator. This non-classical response was interpreted as the first possible evidence of supersolidity. A number of subsequent experiments, however, reported unexpected phenomena within the supersolid context. Experimental and theoretical work have drawn attention to the role of disorder in solid helium to explain the inconsistency. We have investigated the non-classical response of solid ⁴He confined in porous gold set to torsional oscillation. When solid helium is grown rapidly, nearly 7% of the solid helium appears to be decoupled from the oscillation below about 200 mK. Dissipation appears at temperatures where the decoupling shows maximum variation. In contrast, the decoupling is substantially reduced in slowly grown solid helium. The dynamic response of solid helium was also studied by imposing a sudden increase in the amplitude of oscillation. Extended relaxation in the resonant period shift, suggesting the emergence of the pinning of low-energy excitations, was observed below the onset temperature of the non-classical response. The motion of a dislocation or a glassy solid is restricted in the entangled narrow pores and is not likely responsible for the period shift and long relaxation.

The state of matter characterized by the coexistence of crystallinity and superfluidity is termed the supersolid state of matter. The first possible evidence of a supersolid helium phase was observed by torsional oscillator (TO) measurements [1, 2] and replicated by other

³ Author to whom any correspondence should be addressed.

groups [3]–[7]. In an ideal TO containing a rigid solid, the resonant period follows the rotational inertia of the torsion cell. Kim and Chan observed the reduction in the resonant period and interpreted it as the appearance of non-classical rotational inertia (NCRI). On the other hand, a non-superfluid mechanism possibly induces a reduction in the resonant period if the rigidity of the solid is temperature dependent [8, 10]. For instance, the response of the dislocation network to an oscillatory stress field can produce dissipation and a reduction of the resonant period in TO. This scenario is substantiated by recent shear modulus measurements that reveal stiffening with striking similarities in temperature, frequency, oscillating velocity and ^3He concentration dependence to those of NCRI [9]. The increase in the shear modulus can be well understood by the pinning of the dislocation network with ^3He impurities. Finite-element method studies and visco-elastic analysis, however, show that less than 10% of the entire period shift can be attributed to the stiffening effect [10, 11]. In the case of hcp solid ^3He , no NCRI was found despite a similar increase in the shear modulus, indicating that NCRI is related to a Bose solid [12].

There has been considerable theoretical effort to identify the origin of the non-classical response of solid helium [13, 14]. There is a general consensus that the ground state of solid helium is commensurate and superfluidity does not coexist with a commensurate solid [15]–[17]. Accordingly, the role of disorders such as vacancies, impurities and dislocations in solid helium has been investigated [18]–[20]. Recent extended TO measurements also reported various complicated features likely related to disorders such as large variations in the magnitude of NCRI, confinement/annealing effects and ^3He effects. Disorders in helium crystals clearly play an important role, but how the disorders facilitate NCRI remains unclear.

Anderson proposed an alternative explanation: a thermally excited fluctuating vortex fluid state existing as low-energy excitations in solid helium can exhibit a similar dynamic response in TO above T_c [21]. The flow of quantized vortex tangles induces dissipation and a resonant period drop when the flow rate coincides with the resonant frequency of TO. Anderson's model explains several characteristic aspects qualitatively, but few experiments have been carried out to investigate the vortex fluid state [6, 11], [22]–[24].

The goal of the present study is twofold: firstly, we investigated highly disordered solid helium enclosed in porous gold (PG) where a high density of disorders is expected owing to structural confinement. Additional disorders can be introduced by a quench-cooling technique during solidification. Thus, NCRI in a sample with structurally induced disorders can be compared to a case with quenched disorders. Secondly, we studied the dynamic response of TO containing a highly disordered solid to understand the function of low-temperature excitations. This study may provide a key to understanding the subtle issues in NCRI, as the complicated porous structure of PG prohibits any elastic motion of line defects larger than a characteristic pore diameter.

The resonant frequency of TO is nearly 948 Hz and the mechanical Q factor measured by a conventional ring-down time constant is 3×10^5 . The physical dimensions of the PG disc are 10 mm diameter and 0.6 mm height. The disc has a surface area of 0.66 m^2 and porosity of 67% according to oxygen vapor isotherm measurements as shown in figure 1(a). The total pore volume open to helium was measured from a capillary condensation, which was signified by a sharp rise slightly below the saturated vapor pressure, P_0 . The surface area was determined from a BET analysis [25]. The pore diameter is about 180 nm, assuming monodisperse cylindrical pores. The PG was covered by a thin layer of Stycast 2850FT and was inserted into a BeCu torsion cell. The empty space was deliberately removed by filling this space with Stycast

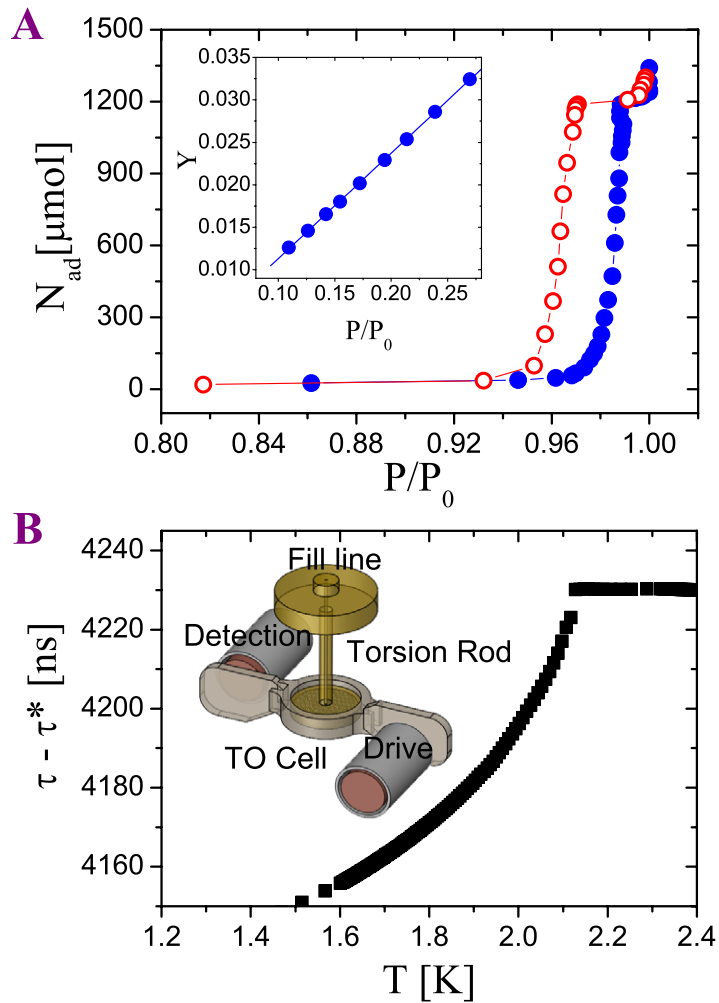


Figure 1. (a) Oxygen adsorption isotherm on PG at 80 K. N_{ad} is the amount of adsorbate on the PG surface. The hysteresis between the filling (closed circles) and draining curves (open circles) is due to a capillary condensation. The inset is the BET plot of a oxygen isotherm, where $Y = P/P_0/N(1 - P/P_0)$. (b) Superfluid onset of liquid ^4He in PG. No indication of bulk ^4He inside the cell was observed. The inset shows the schematic of the TO assembly in this measurement. $\tau^* = 940\,000$ ns.

2850FT. We found that the ‘bulk’ open volume in the torsion cell was negligible from the fact that no apparent bulk superfluid transition appeared at 2.176 K as shown in figure 1(b). The pressure in the torsion cell was monitored using a resistive strain gauge that measures the deflection of the torsion cell due to high pressure with a resolution of approximately 0.5 bar. The solid helium sample was grown by the blocked capillary method, and a sudden increase in the TO amplitude marked the completion of solidification. It was possible to finish the entire freezing process in a few seconds via quench-cooling. During the solidification, a minute amount of latent heat ($0.01\ \mu\text{J}$) was generated due to the small open volume (0.032 c.c.) to helium and was drained efficiently via the complicated network of gold strands.

We cooled the sample with finite drive voltages that were set at 400 mK. The samples were kept at the minimum temperature for about 3 h before a warming temperature scan was started,

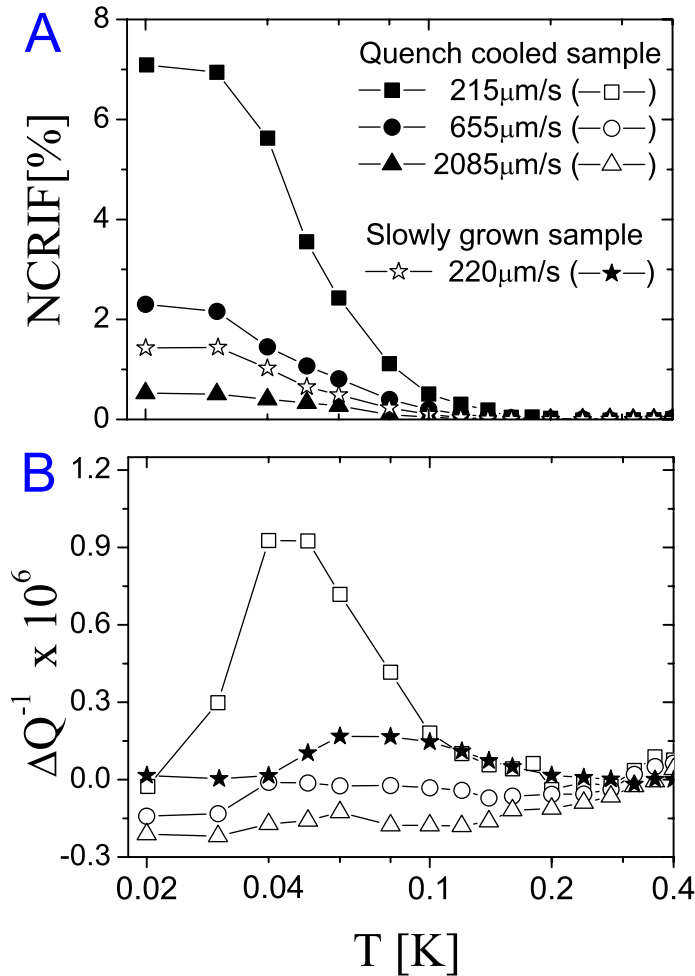


Figure 2. NCRIF (a) and dissipation (b) of the quench-cooled solid ^4He in porous gold. The open star (solid star) symbols represent the NCRIF (dissipation) of the slow-cooled sample.

ensuring that the sample reached equilibrium at the base temperature. The resonant period and amplitude data were measured during the warming scan. Measurements were made with various drive voltages inducing different amplitudes (and speeds) of oscillation.

Figure 2 shows the NCRIF fraction (NCRIF) and dissipation of the TO enclosing solid ^4He sample at 48 bar as a function of temperature. Below 0.2 K, the resonant period reveals the onset of NCRIF that shows qualitatively identical temperature and velocity dependence to those of previous measurements. The large NCRIF of about 7% was observed at an oscillating speed of about $200 \mu\text{m s}^{-1}$. It was noted that the small rotational inertia and the high torsion constant were likely limiting the minimum oscillation speed. The characteristic saturation of NCRIF at a low speed limit was not seen down to $200 \mu\text{m s}^{-1}$, indicating that the NCRIF at a low speed limit is probably higher than 7%. We were able to reproduce high NCRIF ranging from 5 to 7% via the quench-cooling method. For each set of a specific rim speed v_{max} , a broad minimum in the amplitude of the oscillation, a signature of dissipation, is detected at the temperature where the period shift shows the maximum variation.

Solid helium was subsequently grown rather slowly so that the dwelling time on the melting curve was about 90 min. The final pressure of the sample was tuned to be roughly equal to the

pressure of the highly disordered sample. The onset was quite similar to the quenched sample but a smaller magnitude of NCRI (about 1.4%) with broader dissipation was observed as shown in figure 2.

The magnitude of NCRIF ranged from 0.03% to 20% depending on the experimental conditions such as thermal history and geometric constant. A large NCRIF was also reported in highly disordered solids grown by quench-cooling methods in thin annular channels [26]. The NCRIF was enhanced further by confining a solid helium sample into a narrower annular channel with higher surface-to-volume ratio.

However, a small NCRIF of less than a few per cent has also been obtained in even more severely restrained solid samples [1, 27], deviated from the reported confinement effect. This is probably because the large thermal mass of helium combined with poor thermal conductivity of glass likely reduces the solidification speed and, consequently, hinders the appearance of the quench effects. In our measurements, 7% of large NCRIF was obtained since the quenched-cooling was possible due to a small sample volume of about 0.032 c.c. These results support the explanation that a large NCRI primarily originates from the quench-cooled frozen disorders [28]. In addition, the absence of large NCRIF in the slowly grown solid helium sample substantiates the central role of frozen disorder. Therefore, our results may provide a key to understanding why the thermal histories of different growth methods result in a large variation of the magnitude of NCRIF.

The presence of porous matrix in a TO also provides a simple reasoning to test the feasibility of the proposed non-supersolid scenarios. For instance, NCRI in porous media cannot be understood in terms of a stiffening of solid helium induced by the impurity pinning of the dislocation network. Given that the length scale of a free vibrating dislocation cannot exceed the pore diameter, the characteristic dislocation length in PG can be expected to be much shorter than that in bulk helium. Thus, the increase in the shear modulus due to pinning dislocation networks in PG is expected at substantially lower temperatures (or a higher ^3He impurity concentration) compared to the bulk value. Similarly, glassy behavior of solid helium as a possible origin of the period reduction is strongly limited as well. The motion of liquid and/or solid confined in porous media is suppressed by the complicated multiply connected tortuous geometry. With oscillation frequency less than a characteristic frequency of $\omega = 2\eta/\rho\delta^2$, a viscous liquid is immovable and localized to the pore walls. Here, η is viscosity, ρ is density and δ is viscosity penetration depth and should be less than the pore diameter. Accordingly, if the frequency is smaller than a characteristic frequency of about 300 kHz, then no decoupling of liquid is expected unless superfluid is present.

Computational studies suggested that the core of screw dislocation lines can be a superfluid [29]–[31]. Incorporating this suggestion, a scenario was suggested to explain the experimental findings in terms of dislocation-induced superfluidity. The pinning of the dislocations can be induced by a connection of neighboring dislocations that facilitates the appearance of NCRI. ^3He impurities play a key role in stabilizing disorder and promoting superfluidity in this model. The large magnitude of NCRI is, however, not clearly explained in this model.

We also studied the relaxation dynamics of the resonant period when the driving voltage changes discretely at 20, 40, 60, 100 and 400 mK. A solid sample was first cooled to target temperatures with a 1 mV drive. The driving voltage was then increased in sequential steps (1 \rightarrow 2 \rightarrow 5 \rightarrow 10 mV: drive-up scan) and then decreased in the reverse order with the same steps to 1 mV, as shown in figure 3(a). Below the onset of NCRI, extended relaxation in the TO period

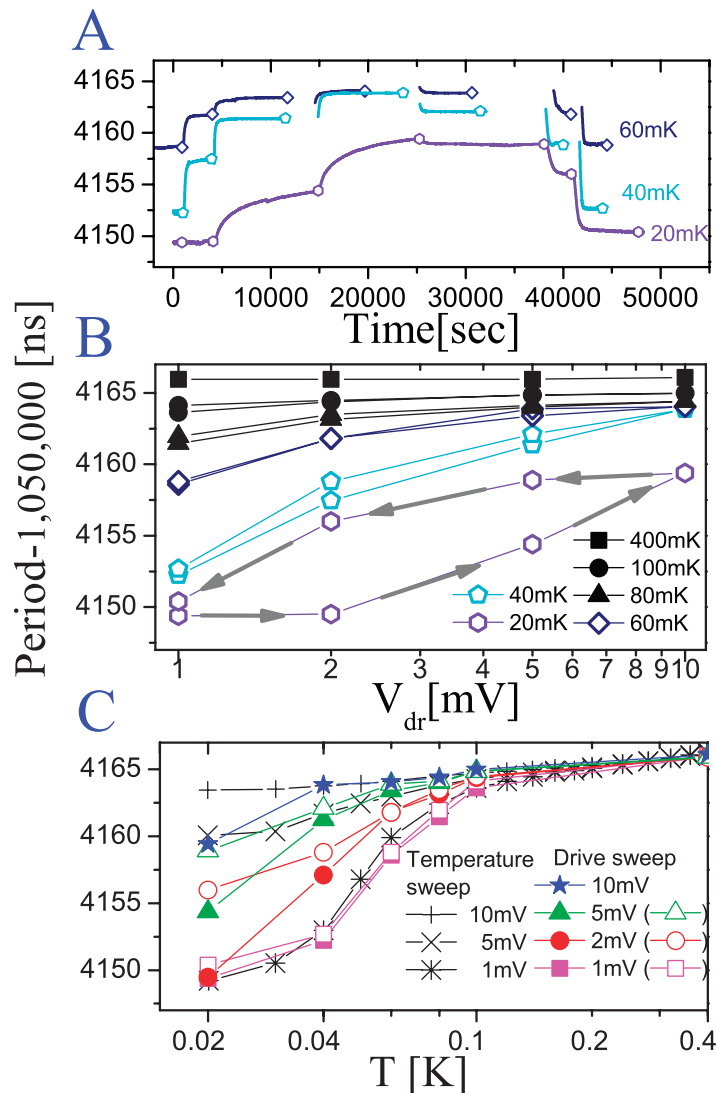


Figure 3. (a) Typical drive scans at various temperatures. The relaxation of the resonant period is plotted as a function of the elapsed time during the drive scans. (b) The change of the resonant period as a function of the driving voltage at various temperatures. The data are extracted from the final resonant period values at each drive step as shown in (a). (c) The resonant period in drive sweeps plotted as a function of temperature (see text). Solid (open) symbols denote the final values of the period in each step for the drive-up (-down) scans.

appears in the drive-up scans, while fast relaxation occurs in drive-down scans. The discrepancy in the relaxation leads to hysteretic behavior during a drive sweep at low temperatures. The hysteresis is more pronounced below 60mK, as the relaxation is lengthened progressively with decreasing temperature. The collection of the drive sweep data is shown in figure 3(c); the data points of the drive-up (or drive-down scan) with the same driving voltage at various temperatures are connected correspondingly for easy comparison to typical temperature sweeps. The reconstructed NCRIF of drive-down scans collapses onto the conventional temperature

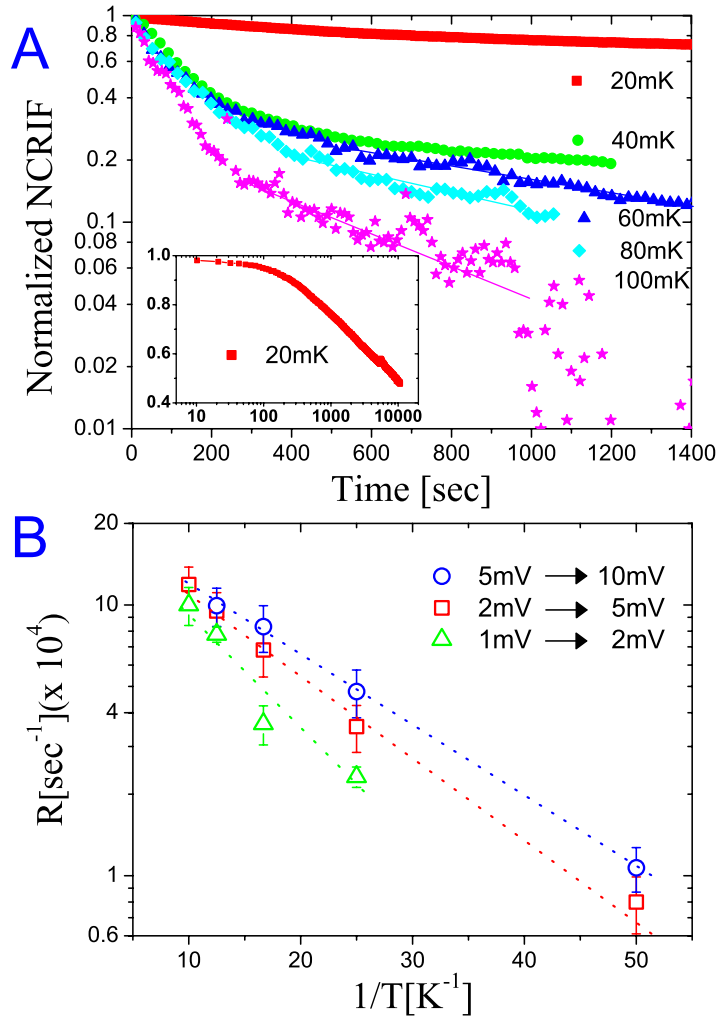


Figure 4. (a) The normalized NCRIF when the drive voltage increases from 2 to 5 mV is plotted as a function of the elapsed time. Clear deviation from the mechanical ring down is found in the intermediate time scale. The inset shows logarithmic time evolution (20 mK) at a long time scale. (b) The relaxation in an intermediate time scale as a function of the inverse temperature for various drive voltages. The activation energy is stress dependent, 98.9 mK for 1 mV \rightarrow 2 mV, 66.7 mK for 2 mV \rightarrow 5 mV and 60 mK for 5 mV \rightarrow 10 mV.

sweep with the corresponding drive, indicating a fast relaxation. In contrast, the drive-up scans show discrepancies in their temperature sweeps, reflecting the long relaxation. The relaxation was so long that the equilibrium could not be reached within a few hours. The apparent drive hysteresis and long relaxation were reported with robust NCRIF upon increasing drive, while NCRIF was suppressed when the drive decreased [4, 11]. The authors discussed the hysteresis in connection with the severe pinning of vortices or dislocation network. The severe pinning at low temperatures was only observed at the minimum driving voltage in the current experiment. The discrepancy is possibly related to the large NCRIF in our measurements.

Figure 4(a) shows time evolution data of the resonant period change during the drive-up scans. The change of the TO period is normalized by its saturation value to highlight the

time-dependent relaxation. For a very short time scale, the relaxation of the TO period shows a simple exponential form that is solely attributed to the high mechanical Q factor regardless of the drive-up or drive-down scans. An exponential evolution with a time constant larger than the mechanical relaxation of the TO arises in an intermediate time scale. The relaxation is further extended as the temperature decreases. Finally, logarithmic relaxation appears in a long time scale at low temperatures, as depicted in the inset of figure 4(a). The origin of logarithmic time evolution is not clearly understood, but it has been found in various relaxation phenomena such as dislocation creep [32], magnetization in spin glass [33], flux creep in hard superconductors [34] and magnetization in high- T_c superconductors [35].

Logarithmic relaxation was observed where disorders function as energy barriers and pin down thermal excitations [34, 35]. The pinned excitations can overcome the barriers with thermal activation assisted by the driving force such as the Magnus force and the Lorentz force in this framework. The difference between the average pinning potential barrier and the driving kinetic energy (ΔU) gives an empirical unpinning probability that is proportional to $\exp(-\Delta U/k_B T)$. During the drive-up scan, weakly trapped excitations can be released first, exhibiting additional dissipation and a period increase. This process emerges with an exponential relaxation in which a temperature-dependent characteristic time constant (i.e. the relaxation rate) is connected to the unpinning probability. As shown in figure 4(b), the extended relaxation rate of the unpinning process is proportional to the inverse temperature. The relaxation rate shows a weak dependence on a stress field; higher drive agitation leads to faster relaxation as expected. Once most of the weakly localized excitations are removed, the unpinning probability decreases substantially. In this limit, the unpinning of strongly pinned excitations results in logarithmic time dependence at low temperatures, which is consistent with the observed relaxation at the long time scale. More systematic studies on the relaxation behavior have been performed [24].

A similar long relaxation of the TO amplitude was observed by the Rutgers group in bulk solid helium with no discernable relaxation in the period [22]. The authors held the view that the relaxation dynamics was hardly reconciled with the condensation (or evaporation) of ^3He in dislocation networks and with the quantum mechanical tunneling of dislocations, since the expected relaxation time was inconsistent with the observation. A possible connection of this logarithmic decay to thermally activated vortices was suggested. The extended relaxation can be associated with a new dissipation mechanism that is necessary for re-adjusting the number of vortices to newly introduced drive levels.

Recently, ultra-slow relaxation of solid helium below the onset of NCRI was reported by the Cornell group. They investigated the relaxation dynamics when the temperature increased suddenly from the base temperature to a target temperature with a fixed drive [7]. The most surprising observation was that the dissipation peak temperature shifted to lower temperatures progressively as the waiting time increased. The temperatures at which the period showed maximum variation also moved to lower temperatures. This shift is qualitatively similar to the relaxation dynamics of a glassy solid, which is one of the models proposed with no superfluidity imposed in explaining the period reduction [18, 36]. The magnitude of the period shift is, however, an order of magnitude larger than the estimated change in a glassy solid. Thus, the Cornell group interpreted NCRI with glass behavior as a superglass helium phase.

Our present relaxation study is different from the Cornell group's study; firstly, the experimental procedure is different. We investigated the response to the sudden drive change, while they focused on the response to the temperature change. Secondly, in contrast to the

relaxation in bulk solid helium, the motion of the liquid and/or solid confined in our PG TO is limited by the complicated multiply connected tortuous geometry. Therefore, the extended relaxation in our PG TO should have a different origin rather than glassy solid-induced dissipation. Thirdly, compared to the exponential relaxation reported by the Cornell group, we found that the relaxation cannot be described by a simple exponential fit. The logarithmic relaxation is dominant at long time scales. We believe that the extended relaxation upon a sudden increase in the driving voltage is hard to understand and likely to be related to the low-temperature excitation in solid helium.

In summary, we found that the magnitude of the non-classical response of solid helium confined in PG to torsional oscillation is strongly dependent on the cooling history of the sample. Substantial enhancement of NCRI in a quench-cooled sample and the absence of the confinement effect in porous glasses suggest that the cooling history plays a more significant role in producing large NCRI compared to that by geometrical confinement. We also observed the extended relaxation behavior of the resonant period in a severely constrained solid helium. The long relaxation time is probably not caused by the motion of an elastic solid, but it is possibly connected to the temperature- and velocity-dependent pinning of low-energy excitations at low temperatures.

Acknowledgments

We acknowledge useful discussions with M H W Chan. We also acknowledge financial support through Creative Research Initiatives (Center for Supersolid and Quantum Matter Research) of MEST/KOSEF.

References

- [1] Kim E and Chan M H W 2004 *Nature* **427** 225
- [2] Kim E and Chan M H W 2004 *Science* **305** 1941
- [3] Rittner A S C and Reppy J D 2006 *Phys. Rev. Lett.* **97** 165301
- [4] Aoki Y, Graves J C and Kojima H 2007 *Phys. Rev. Lett.* **99** 015301
- [5] Kondo M *et al* 2007 *J. Low Temp. Phys.* **148** 695
- [6] Penzev A, Yasuta Y and Kubota M 2008 *Phys. Rev. Lett.* **101** 065301
- [7] Hunt B *et al* 2009 *Science* **324** 632
- [8] Nussinov Z *et al* 2007 *Phys. Rev. B* **76** 014530
- [9] Day J and Beamish J 2007 *Nature* **450** 853
- [10] Yoo C-D and Dorsey A T 2009 *Phys. Rev. B* **79** 100504
- [11] Clark A C, Maynard J D and Chan M H W 2008 *Phys. Rev. B* **77** 184513
- [12] West J T *et al* 2009 *Nat. Phys.* **5** 598
- [13] Prokof'ev N 2007 *Adv. Phys.* **56** 381
- [14] Balibar S and Caupin F 2008 *J. Phys.: Condens. Matter* **20** 173201
- [15] Ceperley D M and Bernu B 2004 *Phys. Rev. Lett.* **93** 155303
- [16] Prokof'ev N and Svistunov B 2005 *Phys. Rev. Lett.* **94** 155302
- [17] Galli D E and Reatto L 2006 *Phys. Rev. Lett.* **96** 165301
- [18] Boninsegni M, Prokof'ev N and Svistunov B 2006 *Phys. Rev. Lett.* **96** 105301
- [19] Boninsegni M *et al* 2006 *Phys. Rev. Lett.* **97** 080401
- [20] Pollet L *et al* 2007 *Phys. Rev. Lett.* **98** 135301
- [21] Anderson P W 2007 *Nat. Phys.* **3** 160

- [22] Aoki Y, Keiderling M C and Kojima H 2008 *Phys. Rev. Lett.* **100** 215303
- [23] Penzev A *et al* 2009 arXiv:0903.1326[cond-mat]
- [24] Choi H, Kwon S, Kim D Y and Kim E 2009 private communication
- [25] Kissinger P T 1993 *Laboratory Techniques in Electroanalytical Chemistry* (Oxford: Oxford University Press)
- [26] Rittner A S C and Reppy J D 2008 *Phys. Rev. Lett.* **101** 155301
- [27] Shirahama K 2009 <http://meetings.aps.org/link/BAPS.2009.MAR.V16.12>
- [28] West J T *et al* 2009 *Phys. Rev. Lett.* **102** 185302
- [29] Boninsegni M *et al* 2007 *Phys. Rev. Lett.* **99** 035301
- [30] Pollet L *et al* 2008 *Phys. Rev. Lett.* **101** 097202
- [31] Corboz P *et al* 2008 *Phys. Rev. Lett.* **101** 155302
- [32] Cottrell A H 1965 *Dislocations and Plastic Flow in Crystals* (Oxford: Clarendon)
- [33] Nordblad P *et al* 1986 *Phys. Rev. B* **33** 645
- [34] Anderson P W and Kim Y B 1964 *Rev. Mod. Phys.* **36** 39
- [35] Yeshurun Y *et al* 1996 *Rev. Mod. Phys.* **68** 911
- [36] Balatsky A V *et al* 2007 *Phys. Rev. B* **75** 094201