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# **Optimum Receiver-Side Tuning Capacitance for Capacitive Wireless Power Transfer**

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**Abstract:** This paper reveals the optimum capacitance value of a receiver-side inductor-capacitor (LC) network to achieve the highest efficiency in a capacitive power-transfer system. These findings break the usual convention of a capacitance value having to be chosen such that complete LC resonance happens at the operating frequency. Rather, our findings in this paper indicate that the capacitance value should be smaller than the value that forms the exact LC resonance. These analytical derivations showed that as the ratio of inductor impedance divided by plate impedance increased, the optimum Rx capacitance decreased. This optimum capacitance maximized the *TX*-to-*RX* transfer efficiency of a given set of system conditions, such as matching inductors and coupling plates.

Keywords: wireless power transfer; capacitive power transfer; parallel-plate contactless power

## 1. Introduction

Capacitive wireless power-transfer systems wirelessly transmit electrical energy without the use of actual wire coils. Instead, thin metallic plates form a capacitor through which current can flow. Such a system has previously been investigated for biomedical applications [1], electric vehicles [2–5], mobile devices [6], and constant-current applications [7]. Although a variety of circuit topologies are available for capacitive power system [1–8], an inductor-capacitor (LC) section in a receiver (RX) is the simplest topology for systems with small coupling capacitances [2,3]. Additional matching inductors, such as those in [5], require a large inductance value (~240  $\mu$ H), which is too bulky. Parasitic capacitances due to nearby metals can also be merged with a parallel tuning capacitor [2] to form another type of LC section.

Although much work has been done on the LC matching network design, only a few works have focused on efficiency maximization, which is an important key requirement in an effective wireless power-transfer system. Reference [3] proposes operating near the resonance frequency of an inductor and capacitor, either for constant current or constant voltage operation. Their operating frequency would slightly deviate from the self-resonant frequency of an LC matching network for constant voltage or current operation, where the amount of deviation is determined by the strength of the capacitive coupling. At weak coupling, the operating frequency would approach the LC resonant frequency.

While the LC matching design of [3] successfully achieves either constant voltage or current operation, this design does not focus on efficiency maximization. Reference [9] analyzes the effect of matching detuning and proposes a design method to operate over a wide frequency bandwidth. Although this design successfully operated over this wider frequency range via inverter soft-switching, the optimum matching capacitance for maximum efficiency has not yet been discussed.

Reference [8] proposed a resonance-matching network to improve the power factor. This is equivalent to enhancing the real part of  $Z_{RX}$ , as seen in Figure 1. The large resistive impedance of the receiver

increased the power factor here because the CP impedances were highly imaginary. A matching network design [10] also aimed toward power-factor maximization. Unfortunately, as will be discussed later in this paper, power-factor maximization does not necessarily maximize efficiency. Hence, any design method that focused on achieving maximum efficiency would be different from the methods in [8,10].



**Figure 1.** Equivalent circuit of a capacitive wireless-power transfer system. The Re{ $Z_{TX}$ } resistance at the transmitter should be high compared to  $R_{P,T}$  in order to achieve high Tx-to-Rx efficiency.

Reference [11] proposed that the matching capacitor should be small in order to reduce sensitivity to parameter variations and voltage stress. Through this method, the drift of system performance against load or component variation would be minimized.

While the various design methods mentioned above aimed to achieve different goals, such as constant output, wide bandwidth, high power factor, or reduced sensitivity, none of them explicitly defined the optimum *RX* capacitance for maximum efficiency. This paper investigates exactly what optimum capacitance value could maximize the transfer efficiency for a given set of system parameters, such as coupling plates, load, and matching inductors. The results showed that the optimum *RX* capacitor value should be smaller than that of a value that achieves complete LC resonance. A quantitative closed-form equation predicted the optimum capacitor value as a function of coupling plates, load, and inductors.

### 2. Optimum Resonant Matching Capacitor

#### 2.1. Circuit Topology of Capacitive Power System

Figure 1 shows the equivalent circuit of capacitive power transfer. This work used a differential Class-E amplifier that produced a sinusoid output voltage and current. Its schematic and measured waveform is presented in Figure 8. However, this mathematical derivation was also applicable to a square-wave voltage source as well (e.g., voltage-mode Class-D inverter) because the first-harmonic approximation was valid due to the high-Q of the matching network. In other words, due to the high selectivity of  $L_{TX}$ — $C_{TX}$  resonance, higher frequency components of  $I_{TX}$  were suppressed and  $I_{TX}$  became sinusoidal. Since the impedance of capacitive interface,  $X_P = (\omega C_P/2)^{-1}$ , is extremely high in noncontact applications, it is common to boost the receiver load  $R_L$  using an  $L_{RX}$ – $C_{RX}$  network. The parallel resonance of  $L_{RX}$ – $R_L$  increases the real part of  $Z_{RX}$  while minimizing the reactance of  $Z_{RX}$ .

For the given  $L_{RX}$  inductance, the  $C_{RX}$  capacitance would normally be chosen such that  $L_{RX}-C_{RX}$  was resonant at the operating frequency. This was to maximize the real part of  $Z_{RX}$  (i.e., Re{ $Z_{RX}$ }) while minimizing the reactive part of  $Z_{RX}$  (Im{ $Z_{RX}$ }). In this paper, however, we revealed that an exact LC resonance was not the optimum design for efficiency maximization. Rather, the capacitance should be slightly smaller, such that there exists significant inductive impedance in  $Z_{RX}$ . This Im{ $Z_{RX}$ } partially cancels out the larger capacitive  $X_P$ . Although the Re{ $Z_{RX}$ } obtained via the proposed shifted resonance was lower than that obtained with exact LC resonance, it is also analyzed in this paper that a higher Re{ $Z_{RX}$ } is not always beneficial: there was an optimum Re{ $Z_{RX}$ }.

#### 2.2. Analytical Derivation for Optimum C<sub>RX</sub>

The Tx-to-Rx efficiency of Figure 1 was defined as

$$\eta_{TX-to-RX} = \frac{\text{Load power}}{\text{Supplied power by source}} \\ = \frac{I_L^2 R_L}{I_{Tx}^2 (\text{Re}\{Z_{TX}\} + R_{P,T})}$$
(1)

The  $Z_{TX}$  is the equivalent impedance with regard to the  $C_{TX}$  capacitance, and  $R_{P,T}$  and  $R_{P,R}$  are the parasitic resistance of the  $L_{TX}$  and  $L_{RX}$  inductors, respectively. Equation (1) can be separated into a two-stage equation. The first stage, which was the transmitter efficiency, consisted of the power entering the capacitive interface  $I_{TX}^2 \text{Re}\{Z_{TX}\}$ , divided by the total power supplied from our power source  $I_{TX}^2 (\text{Re}\{Z_{TX}\} + R_{P,T})$ . The second stage, which was the receiver efficiency, consisted of the power dissipation at final load divided by the power dissipation across the whole receiver. Hence, Equation (1) could be written as

$$\eta_{TX-to-RX} = \frac{I_{TX}^2 \text{Re}\{Z_{TX}\}}{I_{TX}^2 (\text{Re}\{Z_{TX}\} + R_{P,T})} \times \frac{I_L^2 R_L}{I_L^2 (R_L + R_{P,R})}$$
(2)

thereby arriving at the impedance ratio equation of

$$\eta_{TX-to-RX} = \frac{\operatorname{Re}\{Z_{TX}\}}{\operatorname{Re}\{Z_{TX}\} + R_{P,T}} \times \frac{R_L}{R_L + R_{P,R}}$$
(3)

Since the power delivered to the receiver was equal to the power dissipated at the Re{ $Z_{TX}$ }, it was important that we obtained a large value of Re{ $Z_{TX}$ } to maximize transmission efficiency. In other words, the power delivered to RX is  $P = |I_{TX}|^2 \text{Re}\{Z_{TX}\}$ , whereas the power dissipated at TX parasitic is  $P = |I_{TX}|^2 R_{P,T}$ . Hence, the Re{ $Z_{TX}$ } should have been higher than  $R_{P,T}$ . The Re{ $Z_{TX}$ } is defined found as follows:

$$\operatorname{Re}\{Z_{TX}\} = \frac{X_{CTX}^{2}\operatorname{Re}\{Z_{RX}\}}{\operatorname{Re}\{Z_{RX}\}^{2} + (X_{CTX} + X_{P} - \operatorname{Im}\{Z_{RX}\})^{2}}$$
(4)

where  $\operatorname{Re}\{Z_{RX}\}$  and  $\operatorname{Im}\{Z_{RX}\}$  is

$$\operatorname{Re}\{Z_{RX}\} = \frac{X_{CRX}^2 R_L}{R_L^2 + (X_{LRX} - X_{CRX})^2}$$
(5)

$$\operatorname{Im}\{Z_{RX}\} = -\frac{X_{CRX}\{X_{LRX}(X_{LRX} - X_{CRX}) + R_L^2\}}{R_L^2 + (X_{LRX} - X_{CRX})^2}$$
(6)

and  $X_{CTX} = (\omega C_{TX})^{-1}$ ,  $X_{CRX} = (\omega C_{RX})^{-1}$ ,  $X_P = (\omega C_P/2)^{-1}$ , and  $X_{LRX} = \omega L_{RX}$ .

After substituting Equations (5) and (6) into Equation (4), Equation (4) became a function of the receiver parameters, such as  $R_L$ ,  $X_{LRX}$ , and  $X_{CRX}$ . The typical complete resonance,  $\omega = 1/\sqrt{L_{RX}C_{RX}}$ , almost cancelled out the Im{ $Z_{RX}$ }, whereas the opposite was true for the Re{ $Z_{RX}$ }, which was maximized.

In this paper, we tested the theory that there may be an optimum  $C_{RX,opt}$  to maximize the efficiency of Equation (3) for any given set of system parameters. Our efficiency maximization was realized by a maximum Re{ $Z_{TX}$ } resistance and a corresponding minimum  $I_{TX}$  current, thereby suppressing power losses at the inverter and TX passive components thanks to a minimum of  $I_{TX}$  current.

Differentiating Equation (4) with respect to  $X_{CRX}$  and setting this differentiation to zero, i.e.,  $\partial \text{Re}\{Z_{TX}\}/\partial X_{CRT} = 0$ , the optimum  $X_{CRX}$  was derived:

$$X_{CRT,opt} = \frac{((R_L + R_{P,R})^2 + X_{LRX}^2)(X_P + X_{CTX})}{X_{LRX}(X_P + X_{CTX}) - (R_L + R_{P,R})^2 - X_{LRX}^2}$$
(7)

Note that the derivation of Equation (7) does not involve any approximations and therefore was generally applicable for any given set of system parameters e.g., load,  $L_{RX}$ ,  $C_P$ ,  $C_{TX}$  etc. Equation (7) can be simplified because the coupling plate impedance,  $X_P$ , is usually a much higher value than the  $X_{CTX}$ . [2,3]. Moreover, the Rx inductor reactance,  $X_{LRX}$ , is also usually designed as a much higher value than  $R_L$  in order to boost a small  $R_L$  into a large Re{ $Z_{RX}$ }, generally because Re{ $Z_{RX}$ }  $\approx X_{LRX}^2 / R_L$ . Under these conditions, Equation (7) was simplified as follows:

$$X_{CRX,opt} \cong X_{LRX} \left( 1 - \frac{X_{LRX}}{X_P} \right)^{-1}$$
(8)

Equation (8) indicated that the optimum  $X_{CRX}$  impedance, which maximized the Re{ $Z_{TX}$ } and our efficiency, should be higher than the inductor impedance  $X_{LRX}$ . The ratio between inductor impedance and coupling plate impedance, i.e.  $X_{LRX}/X_P$ , determined the level of deviation from the complete LC canceling condition of  $X_{CRX} = X_{LRX}$ . Equation (8) indicated that a higher ratio of  $X_{LRX}/X_P$  required a larger deviation of  $X_{CRX}$  from the  $X_{LRX}$ .

### 2.3. Discussion

Figure 2b is the  $Z_{RX}$  representation of Figure 2a at a conventional resonance. Conventional RX cancelled the Im{ $Z_{RX}$ } while maximizing the  $R_L$  into a high Re{ $Z_{RX}$ } so that the power factor of  $Z_{CAP}$  was maximized. However, higher Re{ $Z_{RX}$ } was not always beneficial for TX-to-RX efficiency. As seen in Figure 1, the  $I_{TX}$  supplied from the inverter was directed toward two separate paths: one was through  $C_{TX}$  (which did not contribute to power delivery), and the other was through  $I_P$  flowing into the receiver. If Re{ $Z_{RX}$ } was too high, then most of the  $I_{TX}$  was circulated to  $C_{TX}$  and only limited current could flow through  $I_P$ , which resulted in a reduced power efficiency. The bottom graph of Figure 2d shows that at conventional resonance the  $I_{TX}$  required to deliver a specified  $I_L$  should have been increased.

However, the proposed  $C_{RX}$  detuning in Figure 2c did not maximize the Re{ $Z_{RX}$ } and, at the same time, intentionally generated +Im{ $Z_{RX}$ }. This partially cancelled  $X_P$  by detuning  $L_{RX}$ - $C_{RX}$ . Its impedance, as seen in Figure 2d, was a frequency of 7.1 MHz. The overall impedance  $|Z_{CAP}| = \text{Re}\{Z_{RX}\} + j(\text{Im}\{Z_{RX}\} - X_P)$  was significantly reduced compared to conventional  $L_{RX}$ - $C_{RX}$ . As a result, the bottom graph of Figure 2d shows that the  $I_{TX}$  current required to deliver a given load current  $I_L$  could be minimized, which in turn could reduce the losses in the transmitter.

The exact amount of detuning of  $L_{RX}$ – $C_{RX}$  was quantitatively obtained from Equations (7) and (8). Figure 3 illustrates the design trade-off. In Figure 3a, while Re{ $Z_{RX}$ } should have been high to maximize the load power per unit  $I_P$  of current, the Re{ $Z_{RX}$ } should not have been so excessively high that the  $I_P$  current per unit  $I_{TX}$  could not be maintained. At the same time, in Figure 3b,  $j \text{Im}{Z_{RX}} - jX_P$ was minimized by maximizing the + $j \text{Im}{Z_{RX}}$  so that the  $I_P$  was increased per given  $I_{TX}$ . However, as seen in Figure 3c, excessively high Im{ $Z_{RX}$ } may have compromised the achievable Re{ $Z_{RX}$ }. The proposed Equations (7) and (8) optimized the trade-offs of Figure 3 and produced an optimum Re{ $Z_{RX}$ } and Im{ $Z_{RX}$ } that maximized power efficiency.



**Figure 2.** Comparison between conventional resonance and proposed  $C_{RX}$ . (**a**) RX circuit consisting of  $L_{RX}-C_{RX}$  and load  $R_L$ . (**b**) Typical complete LC canceling causes high  $Z_{CAP}$  and low  $I_P$ . (**c**) Proposed  $C_{RX}$  condition yields a high  $+j\text{Im}\{Z_{RX}\}$  that partially cancels the high  $-jX_P$  of the coupling plates. Moreover, Re{ $Z_{RX}$ } was moderate. The two improvements of  $Z_{RX}$  allowed a higher  $I_P$  current toward RX. (**d**) The *x*-axis was  $L_{RX}-C_{RX}$  resonance frequency. Operating frequency was fixed at 6.78 MHz. The proposed  $C_{RX}$  of Equation (7) partly cancels the  $-jX_P$  impedance and yields an appropriate value of Re{ $Z_{RX}$ }, both of which increased the current  $I_P$  and maximized the load power. This maximized Re{ $Z_{TX}$ } and minimized the  $I_{TX}$  required to deliver a given load current  $I_L$ .  $C_{TX} = 168.5$  pF,  $C_P = 14.5$  pF.



**Figure 3.** Design considerations. Equation (7) optimized  $C_{RX}$  tuning, when considering all the trade-offs. (a) Re{ $Z_{RX}$ } optimization to maximize  $R_L$  power per given  $I_{TX}$ . (b) High +jIm{ $Z_{RX}$ } improved the  $I_P$  per given  $I_{TX}$ . However, (c) excessively high Im{ $Z_{RX}$ } compromised the achievable Re{ $Z_{RX}$ }.

Figure 4 compares the conventional and the proposed methods. The proposed method surpassed the upper limit imposed by conventional *RX* tuning.



**Figure 4.** Calculated efficiency and Re{ $Z_{TX}$ }. The proposed method always achieves higher efficiency than conventional tuning method for every value of  $L_{RX}$ .

The high Re{ $Z_{TX}$ } might also be obtained by using a small  $C_{TX}$ , as in Equation (4). However, a small  $C_{TX}$  demands a large  $L_{TX}$ , which increases inductor volume and parasitic  $R_{P,T}$ . As an example, in Figure 2d the bottom graph typical resonance still gives the same Re{ $Z_{TX}$ } = 9  $\Omega$  if the  $C_{TX}$  was reduced from 168.5 to 87.5 pF. However, then the required  $L_{TX}$  should have increased from 3.8–6.8  $\mu$ H. Due to the increased parasitic  $R_{P,T}$ , the spice-simulated efficiency degraded from 77.4% to 69.9%. Hence, an optimum  $C_{RX,opt}$  becomes important in order to produce the highest Re{ $Z_{TX}$ } under the constraint of  $L_{TX}$  volume and parasitic resistance.

### 3. Results

Figure 5 shows the measurement setup using wireless charging of an unmanned aerial vehicle (Drone) prototype can be seen in Figure 5. The load condition was 36 V–1.8 A and resulted in a value of 64.8 W. A differential Class-E inverter and full-bridge rectifier were used. Efficiency in this paper was defined as from DC source to DC load.



**Figure 5.** Measurement validation using the unmanned aerial vehicle prototype. The *TX* plates were protected by a 2–4 mm thick acrylic sheet to prevent hazardous electrical shorts caused by collision with unexpected foreign objects.

A 0.2 mm thick copper plate was used for each plate. A transmit plate of  $30 \times 30$  cm<sup>2</sup> was placed underneath the landing pad and a receiver plate of  $13 \times 1.5$  cm<sup>2</sup> was attached under the landing foot of the UAV. The  $C_P$  was 23 and 14 pF for a 2 and 4 mm distance, respectively. These distances were due to electrical isolation by way of an acrylic sheet to prevent electrical shorts and mechanical damage of the *TX* plates that may have resulted from a collision with foreign objects.  $L_{TX}$ ,  $L_{RX}$ , and  $C_{TX}$  were 3.8  $\mu$ H, 7.13  $\mu$ H, and 165 pF, respectively. A GS66508T FET and PMEG6045 diode were used as our inverter and rectifier, respectively. Please note that Equations (7) and (8) are generally applicable to different systems with different component parameters. Table 1 provides circuit parameters.

Parameter	Value	Parameter	Value
Cp	14~23 pF	Load	36 V, 64.8 W
L <sub>TX</sub>	3.8 μH	TX plate	$30 \times 30 \text{ cm}^2$
L <sub>RX</sub>	7.13 μH	RX pad	$13 \times 1.5 \text{ cm}^2$
C <sub>TX</sub>	165 pF	Switching freq.	6.78 MHz

Table 1. Circuit parameters.

Figure 6a presents the DC-to-DC efficiency for each *RX* capacitor value. A  $L_{RX}$  value of 7.13  $\mu$ H was chosen because, as can be seen from Figure 4, efficiency could be maximized near ~7  $\mu$ H at a Cp of 10 pF (worst coupling) using typical LC resonance. The  $C_{RX}$  of 77.3 pF corresponded to typical LC resonance, whose resonance frequency coincided with an operating frequency of 6.78 MHz. The optimum  $C_{RX,opt}$  was predicted by Equation (8) for different  $C_P$  coupling plates. As expected, our proposed  $C_{RX,opt}$  values achieved the highest efficiency for the given set of system constraints. Figure 6b presents the  $I_{TX}$  current required to deliver the given load power, which was minimized at the proposed  $C_{RX,opt}$  capacitor tuning. This result was expected because Equations (7) and (8) maximized the Re{ $Z_{TX}$ }, and therefore the power delivered to the receiver, which was  $P = |I_{TX}|^2 \text{Re}\{Z_{TX}\}$ .



**Figure 6.** Proposed tuning that achieved higher efficiency. (a) Efficiency vs.  $C_{RX}$  for  $L_{RX} = 7.13 \ \mu$ H. The proposed  $C_{RX}$  values achieved higher efficiency than the conventional exact LC resonance. (b)  $I_{TX}$  current required to deliver a given load power. The proposed  $C_{RX}$  condition lowered the required  $I_{TX}$  current, thereby reducing the power loss of the transmitter.

Figure 7 presents the loss analysis for the same load power. The proposed  $C_{RX,opt}$  greatly reduced the power loss of the transmitter. This was because the  $C_{RX}$  affected the Re{ $Z_{TX}$ }, which in turn determined the magnitude of current through the transmitter. The waveform in Figure 8 shows that the inverter achieved zero-voltage switching.



**Figure 7.** Loss breakdown analysis for the same load power. The proposed method improved the losses in transmission while not affecting the receiver-loss characteristics.



Figure 8. Measured waveforms. The inverter was operated at 6.78 MHz using zero-voltage switching.

## 4. Conclusions

This paper thoroughly reveals the optimum parallel capacitance value of a receiver for a given set of system parameters. Our finding showed that a complete LC resonance at operating frequency did not result in the highest efficiency. Rather, the *RX* capacitor should have been be of a smaller capacitance value than the nominal resonance-tuning value. The optimal deviation from nominal resonance should have been proportional to the ratio between the *RX* inductor impedance and the coupling plate impedance, as formulated in Equation (8). This minimized our  $I_{TX}$  value and its associated losses in the transmitter, thereby increasing overall efficiency while not affecting receiver loss characteristics.

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