

# Color Face Recognition for Degraded Face Images

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**Abstract**—In many current face-recognition (FR) applications, such as video surveillance security and content annotation in a web environment, low-resolution faces are commonly encountered and negatively impact on reliable recognition performance. In particular, the recognition accuracy of current intensity-based FR systems can significantly drop off if the resolution of facial images is smaller than a certain level (e.g., less than  $20 \times 20$  pixels). To cope with low-resolution faces, we demonstrate that facial color cue can significantly improve recognition performance compared with intensity-based features. The contribution of this paper is twofold. First, a new metric called “variation ratio gain” (VRG) is proposed to prove theoretically the significance of color effect on low-resolution faces within well-known subspace FR frameworks; VRG quantitatively characterizes how color features affect the recognition performance with respect to changes in face resolution. Second, we conduct extensive performance evaluation studies to show the effectiveness of color on low-resolution faces. In particular, more than 3000 color facial images of 341 subjects, which are collected from three standard face databases, are used to perform the comparative studies of color effect on face resolutions to be possibly confronted in real-world FR systems. The effectiveness of color on low-resolution faces has successfully been tested on three representative subspace FR methods, including the eigenfaces, the fisherfaces, and the Bayesian. Experimental results show that color features decrease the recognition error rate by at least an order of magnitude over intensity-driven features when low-resolution faces ( $25 \times 25$  pixels or less) are applied to three FR methods.

**Index Terms**—Color face recognition (FR), face resolution, identification, variation ratio gain (VRG), verification (VER), video surveillance, web-based FR.

## I. INTRODUCTION

FACE recognition (FR) is becoming popular in research and is being revisited to satisfy increasing demands for video surveillance security [1]–[3], annotation of faces on multimedia contents [4]–[7] (e.g., personal photos and video clips) in web environments, and biometric-based authentication [58]. Despite the recent growth, precise FR is still a challenging task due to ill-conditioned face capturing conditions, such as illumination,

pose, aging, and resolution variations between facial images being of the same subject [8]–[10]. In particular, many current FR-based applications (e.g., video-based FR) are commonly confronted with *much-lower-resolution faces* ( $20 \times 20$  pixels or less) and suffer largely from them [2], [11], [12]. Fig. 1 shows practical cases in which the faces to be identified or annotated have very small resolutions due to limited acquisition conditions, e.g., faces captured from long distance closed-circuit television (CCTV) cameras or camera phones. As can be seen in Fig. 1(a) and (b), the faces enclosed in red boxes have much lower resolution and additional blurring, which often lead to *unacceptable performance* in the current grayscale (or intensity)-based FR frameworks [13]–[18].

In the practical FR applications, which frequently encounter *low-resolution faces*, it is of utmost importance to select face features that are robust against severe variations in face resolution and to make efficient use of these features. In contrast to the intensity-driven features, color-based features are known to be less susceptible to resolution changes for objection recognition [20]. In particular, the psychophysical results of the FR test in human visual systems showed that the contribution of facial color becomes evident when the shapes of faces are getting degraded [21]. Recently, considerable research effort has been devoted to the efficient utilization of facial color information to improve the recognition performance [22]–[29]. For the color FR reported so far, questions could be categorized as follows: 1) Was color information helpful in improving the recognition accuracy compared with using grayscale only [22]–[29]; 2) how were three different spectral channels of face images incorporated to take advantages of face color characteristics [22], [24], [25], [28], [29]; and 3) which color space was the best for providing discriminate power needed to perform the reliable classification tasks [22], [25], [26]? To our knowledge, however, the color effect on face resolution has not yet been rigorously investigated in the current color-based FR works, and no systematic work suggests the effective color FR framework robust against much-lower-resolution faces in terms of recognition performance.

In this paper, we carry out extensive and systematic studies to explore the facial color effect on the recognition performance as the face resolution is significantly changed. In particular, we demonstrate the significant impact of color on low-resolution faces by comparing the performance between grayscale and color features. The novelty of this paper comes from the following.

- 1) The derivation of a new metric, which is the so-called variation ratio gain (VRG), for providing the theoretical foundation to prove the significance of color effect on low-resolution faces. Theoretical analysis was made within subspace-based FR methods, which is currently

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Fig. 1. Practical illustrations of extremely small-sized faces in FR-based applications. (a) Surveillance video frame from “Washington Dulles International Airport.” The two face regions occupy approximately  $18 \times 18$  pixels of the video frame shown, having an original resolution of  $410 \times 258$  pixels. (b) Personal photo from a “Flickr” [19] web site. The face region occupies about  $14 \times 14$  pixels in the picture shown, having an original resolution of  $500 \times 333$  pixels.

one of the most popular FR techniques [30], [31] due to reliability in performance and simplicity in implementation. VRG quantitatively characterizes how color features affect recognition performance with respect to changes in face resolution.

- 2) Extensive and comparative recognition performance evaluation experiments to show the effectiveness of color on low-resolution faces. In particular, 3192 frontal facial images corresponding to 341 subjects collected from three public data sets of the Carnegie Mellon University Pose, Illumination, and Expression (CMU PIE) [32], Facial Recognition Technology (FERET) [33], and the Extended Multimodal Verification for Teleservices and Security Applications Database (XM2VTSDB) [34] were used to demonstrate the contribution of color to improved recognition accuracy over various face resolutions commonly encountered from still-image- to video-based real-world FR systems. In addition, the effectiveness of color has successfully been tested on three representative subspace FR methods—principal component analysis [35] (PCA or “eigenfaces”), linear discriminant analysis [8], [36] (LDA or “fisherfaces”), and Bayesian [37] (or “probabilistic eigenspace”). According to experimental results, the effective use of color features drastically reduces the lower bound of face resolution to be reliably recognizable in the computer FR beyond what is possible with intensity-based features.

The rest of this paper is organized as follows. The next section provides background about the low-resolution-face problem in the current FR works. Section III introduces the proposed color FR framework. In Section IV, we first define variation ratio and then make a theoretical analysis to explain the effect of color on variation ratio. In Section V, based on an analysis made in Section IV, VRG is proposed to provide a theoretical insight on the relationship between color effect and face resolutions. Section VI presents the results of extensive experiments performed to demonstrate the effectiveness of color on low-resolution faces. The conclusion is drawn in Section VI.

## II. RELATED WORKS

In the state-of-the-art FR research, a few works dealt with face-resolution issues. The main concern in these works would be summarized as follows: 1) what is the minimum face reso-

lution to be potentially encountered with the practical applications and to be detectable and recognizable in the computer FR systems [2], [13], [14], [38]–[40] and 2) how do low-resolution faces affect the detection or recognition performances [15]–[17], [40]. In the cutting-edge FR survey literature [2],  $15 \times 15$  pixels is considered to be the minimum face resolution for supporting reliable detection and recognition. The CHIL project [14] reported that normal face resolution in video-based FR is from 10 to 20 pixels in the eye distance. Furthermore, they indicated that the face region is usually 1/16th of commonly used TV recording video frames of resolutions of  $320 \times 240$  pixels. Furthermore, the FR vendor test (FRVT) 2000 [12] studied the effect of face resolution on the recognition performance until the eye distance on the face is as low as  $5 \times 5$  pixels. In the research fields of face detection,  $6 \times 6$  pixels of faces has been reported so far to be the lowest resolution that is feasible for automatic detection [40]. Furthermore, the authors of [39] proposed the face detection algorithm that supports acceptable detection accuracy, even until  $11 \times 11$  pixels.

Several previous works also examined how low-resolution faces impact on recognition performance [15]–[17]. Their works were carried out through intensity-based FR frameworks. They reported that much-lower-resolution faces *significantly degrade* recognition performance in comparison with higher-resolution ones. In [15], face registration and recognition performances were investigated with various face resolutions ranging from  $128 \times 128$  to  $8 \times 8$  pixels. They revealed that face resolutions below  $32 \times 32$  pixels show a considerable decreased recognition performance in PCA and LDA. In [16], face resolutions of  $20 \times 20$  and  $10 \times 10$  pixels dramatically deteriorated recognition performance compared with  $40 \times 40$  pixels in video-based FR systems. Furthermore, the author of [17] reported that the accuracy for face expression recognition is dropped off below  $36 \times 48$  pixels in the neural-network-based recognizer.

Obviously, low-resolution faces impose a significant restriction on current intensity-based FR applications to accomplish *reliability* and *feasibility*. To handle low-resolution-face problems, resolution-enhancement techniques such as “superresolution” [18], [41], [42] are traditional solutions. These techniques usually estimate high-resolution facial images from several low-resolution ones. One critical disadvantage, however, is that the applicability of these techniques is limited to restricted FR domain. This is because they require a sufficient number of

multiple low-resolution images captured from the same identity for the reliable estimation of high-resolution faces. In practice, it is difficult to always support such requirement in practical applications (e.g., the annotation of low-resolution faces on personal photos or snapshot Web images). Another drawback to these approaches is the requirement of a complex framework for the estimation of an image degradation model. It is also computationally demanding for the reconstruction of a high-resolution face image. In this paper, we propose an effective and simple method of using face color features to overcome the low-resolution-face problem. The proposed color FR method improves degraded recognition accuracy, which is caused by low-resolution faces, by a significant margin compared to conventional intensity-based FR frameworks. In addition, contrary to previous resolution-enhancement algorithms, our approach is not only simple in implementation but also guarantees extended applicability to FR applications where only a single color image with a low resolution is available during actual testing operations.

### III. COLOR FR FRAMEWORK

In this section, we formulate the baseline color FR framework [20] that can make efficient use of facial color features to overcome low-resolution faces. Red–green–blue (RGB) color face images are first converted into another different color space (e.g.,  $YC_bC_r$  color space). Let  $I$  be a color face image generated in the color space conversion process. Then, let  $s_m$  be an  $m$ th spectral component vector of  $I$  (in the form of a column vector by lexicographic ordering of the pixel elements of 2-D spectral images), where  $s_m \in \mathbf{R}^{N_m}$  and  $\mathbf{R}^{N_m}$  denotes an  $N_m$ -dimensional real space. Then, the face vector is defined as the augmentation (or combination) of each spectral component  $s_m$  such that  $x = [s_1^T \ s_2^T \ \dots \ s_K^T]^T$ , where  $x \in \mathbf{R}^N$ ,  $N = \sum_{m=1}^K N_m$ , and  $T$  represents the transpose operator of the matrix. Note that each  $s_m$  should be normalized to zero mean and unit variance prior to their augmentation. Face vector  $x$  can be generalized in that, for  $K = 1$ , the face vector could be defined by grayscale only, while for  $K = 3$ , it could be defined by a spectral component configuration like  $YC_bC_r$  or  $YQC_r$  by column order from  $YC_bC_r$  and  $YIQ$  color spaces.

Most subspace FR methods are separately divided into the training and testing stages. Given a set  $\{I_i\}_{i=1}^M$  of  $M$  color face images,  $I_i$  should be first rescaled into the prototype template size to be used for the creation of a corresponding face vector  $x_i$ . With a formed training set  $\{x_i\}_{i=1}^M$  of  $M$  face vector samples, the feature subspace is trained and constructed. The rationale behind the feature subspace construction is to find a projection matrix  $\Phi = [e_1 \ e_2 \ \dots \ e_F]$  by optimizing criteria to get a lower dimensional feature representation  $f = \Phi^T x$ , where each column vector  $e_i$  is a basis vector spanning the feature subspace  $\Phi \in \mathbf{R}^{N \times F}$ , and  $f \in \mathbf{R}^F$ . It should be noted that  $F \ll N$ . For the testing phase, let  $\{g_i\}_{i=1}^G$  be a gallery (or target) set consisting of  $G$  prototype enrolled face vectors of known individuals, where  $g_i \in \mathbf{R}^N$ . In addition, let  $p$  be an unknown face vector to be identified or verified, which is denoted as a probe (or query), where  $p \in \mathbf{R}^N$ . To perform FR tasks on the probe,  $g_i$  ( $i = 1, \dots, G$ ) and  $p$  are projected onto the

feature subspace to get corresponding feature representations such that

$$f_{g_i} = \Phi^T g_i, \quad f_p = \Phi^T p \quad (1)$$

where  $f_{g_i} \in \mathbf{R}^F$  and  $f_p \in \mathbf{R}^F$ . A nearest-neighbor classifier is then applied to determine the identity of  $p$  by finding the smallest distance between  $f_{g_i}$  ( $i = 1, \dots, G$ ) and  $f_p$  in the feature subspace as follows:

$$\ell(p) = \ell(g_{i^*}), \quad i^* = \arg \min_{i=1}^G \|f_{g_i} - f_p\| \quad (2)$$

where  $\ell(\cdot)$  returns a class label of face vectors, and  $\|\cdot\|$  denotes the distance metric. To exploit why the role of color is getting significant as face resolution is decreased within our baseline color FR framework, a theoretical analysis will be given in the following sections.

### IV. ANALYSIS OF COLOR EFFECT AND FACE RESOLUTION

Wang and Tang [43] proposed a face difference model that establishes a unified framework of PCA, LDA, and Bayesian FR methods. Based on this model, intra- and extrapersonal variations of feature subspace are critical factors in determining the recognition performance in the three methods. These two parameters are quantitatively well represented by the variation ratio proposed in [44]. Before exploiting the color effect on the recognition performance with respect to changes in face resolution, we begin by introducing the variation ratio and explore how chromaticity components affect the variation ratio within our color FR framework.<sup>1</sup>

#### A. Variation Ratio

In PCA, covariance matrix  $C$  can be computed by using the differences between all possible pairs of two face vectors [43] included in  $\{x_i\}_{i=1}^M$  such that

$$C = \sum_{i=1}^M \sum_{j=1}^M (x_i - x_j)(x_i - x_j)^T. \quad (3)$$

Then,  $C$  is decomposed into intra- (or within) and extrapersonal (or between class) covariance matrices [43], which are denoted as IC and EC, respectively. IC and EC are defined as

$$\begin{aligned} \text{IC} &= \sum_{l(x_i)=l(x_j)} (x_i - x_j)(x_i - x_j)^T \\ \text{EC} &= \sum_{l(x_i) \neq l(x_j)} (x_i - x_j)(x_i - x_j)^T \end{aligned} \quad (4)$$

where  $l(\cdot)$  is a function that returns a class label of  $x_i$  as input.

As pointed out in [43], the total variation that resides in the feature subspace is divided into intra- and extrapersonal

<sup>1</sup>In this paper, a theoretical analysis in only the PCA-based color FR framework is given. Our analysis, however, is readily applied to LDA and Bayesian due to the same intrinsic connection of intra- and extrapersonal variations described in [43].

variations related to IC and EC, respectively. From a classification point of view, it is evident that the recognition performance is enhanced as the constructed feature subspace learns and contains a larger variation of EC than that of IC. From this principle, the ratio of extra- to intrapersonal variations can be adopted as an important parameter that reflects the discriminative power of feature space [45]. To define variation ratio, first, let  $\Phi$  be an eigenvector matrix of  $C$ , and then, let  $\text{Var}_{\Phi}(\text{IC})$  and  $\text{Var}_{\Phi}(\text{EC})$  be intra- and extrapersonal variations of the feature subspace spanned by  $\Phi$ , which are computed as [44]

$$\text{Var}_{\Phi}(\text{IC}) = \text{tr}(\Phi^T \text{IC} \Phi), \quad \text{Var}_{\Phi}(\text{EC}) = \text{tr}(\Phi^T \text{EC} \Phi) \quad (5)$$

where  $\text{tr}(\cdot)$  is a trace operator of the matrix. Using (5), the variation ratio ( $J$ ) is defined as

$$J = \frac{\text{Var}_{\Phi}(\text{EC})}{\text{Var}_{\Phi}(\text{IC})}. \quad (6)$$

As  $J$  increases, a trained feature subspace relatively includes a larger variation of EC in comparison to that of IC. Therefore,  $J$  represents a well-discriminative capability of the feature subspace for classification tasks. In (6), the formulation of  $\text{Var}_{\Phi}(\text{IC})$  and  $\text{Var}_{\Phi}(\text{EC})$  is similar to that of the  $J$ -statistic [55] used in the field of economics. However, it should be pointed out that the metric is used in a novel and quite different way. In particular, the  $J$ -statistic has been used as a criterion function to determine the optimal unknown parameter vectors [55], while  $\text{Var}_{\Phi}(\text{IC})$  and  $\text{Var}_{\Phi}(\text{EC})$  are used to represent quantitatively the discriminative “effectiveness” of the feature subspace spanned by  $\Phi$ .

### B. Intra- and Extrapersonal Variations in Color FR

In the following section, without loss of generality, we assume that the  $i$ th face vector  $x_i$  is a configuration of one luminance ( $s_{i1}$ ) and two different chromaticity components ( $s_{i2}$  and  $s_{i3}$ ) so that  $x_i = [s_{i1}^T \ s_{i2}^T \ s_{i3}^T]^T$ . By substituting  $[s_{i1}^T \ s_{i2}^T \ s_{i3}^T]^T$  into  $x_i$  in (3),  $C$  is written as

$$C = \begin{bmatrix} C_{11} & C_{12} & C_{13} \\ C_{21} & C_{22} & C_{23} \\ C_{31} & C_{32} & C_{33} \end{bmatrix} \quad (7)$$

where  $C_{mn} = \sum_{i=1}^M \sum_{j=1}^M (s_{im} - s_{jm})(s_{in} - s_{jn})^T$ , and  $m, n = 1, 2, 3$ . As shown in (7),  $C$  is a block covariance matrix whose entries are partitioned into covariance or cross-covariance submatrices  $C_{mn}$ . For  $m = n$ ,  $C_{mn}$  is a covariance submatrix computed from a set  $\{s_{im}\}_{i=1}^M$ ; otherwise, for  $m \neq n$ ,  $C_{mn}$  is a cross-covariance submatrix computed between  $\{s_{im}\}_{i=1}^M$  and  $\{s_{in}\}_{i=1}^M$ , where  $C_{mn} = C_{nm}^T$ . From (4), the IC and EC decompositions of  $C$  shown in (7) are represented as

$$\begin{aligned} \text{IC} &= \begin{bmatrix} \text{IC}_{11} & \text{IC}_{12} & \text{IC}_{13} \\ \text{IC}_{21} & \text{IC}_{22} & \text{IC}_{23} \\ \text{IC}_{31} & \text{IC}_{32} & \text{IC}_{33} \end{bmatrix} \\ \text{EC} &= \begin{bmatrix} \text{EC}_{11} & \text{EC}_{12} & \text{EC}_{13} \\ \text{EC}_{21} & \text{EC}_{22} & \text{EC}_{23} \\ \text{EC}_{31} & \text{EC}_{32} & \text{EC}_{33} \end{bmatrix} \end{aligned} \quad (8)$$

where  $\text{IC}_{mn}$  and  $\text{EC}_{mn}$  are

$$\begin{aligned} \text{IC}_{mn} &= \sum_{l(x_i)=l(x_j)} (s_{im} - s_{jm})(s_{in} - s_{jn})^T \\ \text{EC}_{mn} &= \sum_{l(x_i) \neq l(x_j)} (s_{im} - s_{jm})(s_{in} - s_{jn})^T. \end{aligned} \quad (9)$$

Like  $C$ , IC and EC are also block covariance matrices.

To explore the color effect on variation ratio, we analyze how  $\text{IC}_{mn}$  and  $\text{EC}_{mn}$ , which are computed from two different chromaticity components of  $s_m$  and  $s_n$  ( $m, n = 2, 3$ ), impact on the construction of variations of IC and EC in (8). By the proof given in the Appendix, trace values of IC and EC can be written as

$$\text{tr}(\text{IC}) = \sum_{m=1}^3 \text{tr}(I\Lambda_{mm}), \quad \text{tr}(\text{EC}) = \sum_{m=1}^3 \text{tr}(E\Lambda_{mm}) \quad (10)$$

where  $I\Lambda_{mm}$  and  $E\Lambda_{mm}$  are diagonal eigenvalue matrices of  $\text{IC}_{mm}$  and  $\text{EC}_{mm}$ , respectively. Using (5) and the cyclic property of the trace operator, the variations of IC and EC are computed as

$$\begin{aligned} \text{Var}_{\Phi}(\text{IC}) &= \text{tr}(\Phi \Phi^T \text{IC}) = \text{tr}(\text{IC}) \\ \text{Var}_{\Phi}(\text{EC}) &= \text{tr}(\Phi \Phi^T \text{EC}) = \text{tr}(\text{EC}) \end{aligned} \quad (11)$$

where  $\Phi$  is an eigenvector matrix of  $C$  defined in (7). Furthermore, using (5) and the diagonalization of a matrix, the variations of  $\text{IC}_{mm}$  and  $\text{EC}_{mm}$  are computed as

$$\begin{aligned} \text{Var}_{\Phi_{mm}}(\text{IC}_{mm}) &= \text{tr}(I\Lambda_{mm}) \\ \text{Var}_{\Phi_{mm}}(\text{EC}_{mm}) &= \text{tr}(E\Lambda_{mm}) \end{aligned} \quad (12)$$

where  $\Phi_{mm}$  is an eigenvector matrix of  $C_{mm}$ , and  $m = 1, 2, 3$ . It should be noted that, in case of  $m = 1$ ,  $\text{Var}_{\Phi_{11}}(\text{IC}_{11})$  and  $\text{Var}_{\Phi_{11}}(\text{EC}_{11})$  denote intra- and extrapersonal variations calculated from a luminance component of the face vector, while others ( $m = 2, 3$ ) are corresponding variations computed from two different chromaticity components.

Substituting (11) and (12) into (10), intra- and extrapersonal variations of the feature subspace spanned by  $\Phi$  can be represented as

$$\begin{aligned} \text{Var}_{\Phi}(\text{IC}) &= \sum_{m=1}^3 \text{Var}_{\Phi_{mm}}(\text{IC}_{mm}) \\ \text{Var}_{\Phi}(\text{EC}) &= \sum_{m=1}^3 \text{Var}_{\Phi_{mm}}(\text{EC}_{mm}). \end{aligned} \quad (13)$$

From (13), we can see that the variation of IC and EC is equal to the summation of the variations of the respective diagonal submatrices of  $\text{IC}_{mm}$  and  $\text{EC}_{mm}$ , respectively. This means that  $\text{Var}_{\Phi}(\text{IC})$  and  $\text{Var}_{\Phi}(\text{EC})$  are partially decomposed into three independent portions of  $\text{Var}_{\Phi_{mm}}(\text{IC}_{mm})$  and  $\text{Var}_{\Phi_{mm}}(\text{EC}_{mm})$ , where  $m = 1, 2, 3$ . This confers an important implication about the effect of color on the variation ratio in the color-based FR. Two different chromaticity components can make an independent contribution to construct the intra- and extrapersonal variations in a separate manner with luminance.

Aside from the independent contribution, since each spectral component of skin-tone color has its own inherent characteristics [38], [46], [47],  $\text{Var}_{\Phi_{mm}}(\text{IC}_{mm})$  and  $\text{Var}_{\Phi_{mm}}(\text{EC}_{mm})$  may differently be changed by practical facial imaging conditions, e.g., illumination and spatial-resolution variations. As a result, intra- and extrapersonal variations in the color-based FR are formed by the composition of variations computed from each spectral component along with different imaging conditions. On the contrary, in the traditional grayscale-based subspace FR, the distribution of the intra- and extrapersonal variations (denoted as  $\text{Var}_{\Phi_{11}}(\text{IC}_{11})$  and  $\text{Var}_{\Phi_{11}}(\text{EC}_{11})$ ) in the feature subspace spanned by  $\Phi_{11}$  is entirely governed by the statistical characteristic of only the luminance component.

### C. Color Boosting Effect on Variation Ratio Along With Face Resolution

Now, we make an analysis of the color effect on variation ratio with respect to changes in face resolutions. Our analysis is based on the following two observations: 1) As proven in Section IV-B, each spectral component can contribute in an independent way to construct the intra- and extrapersonal variations of the feature subspace in color-based FR; as described in [54] and [58], such independent impact on evidence fusion usually facilitates a complementary effect between different components for recognition purposes, and 2) the robustness of the color features against variation in terms of face resolution; previous research [20], [48], [49] revealed that chromatic contrast sensitivity is mostly concentrated on low-spatial frequency regions compared to luminance; this means that intrinsic features of face color are even less susceptible to a decrease or variation of the spatial resolution. Considering these two observations, it is reasonable to infer that two chromaticity components can play a supplement role in boosting the decreased variation ratio caused by the loss in the discriminative power of the luminance component arising from low-resolution face images.

To quantize the color boosting effect on variation ratio over changes in the face resolution, we will now derive a simple metric, which is called *variation ratio grain (VRG)*. Using (6) and (12), the variation ratio, which is parameterized by face resolution ( $\gamma$ ), for an intensity-based feature subspace is defined as

$$J^{\text{lum}}(\gamma) = \frac{\text{Var}_{\Phi_{11}(\gamma)}(\text{EC}_{11}(\gamma))}{\text{Var}_{\Phi_{11}(\gamma)}(\text{IC}_{11}(\gamma))}. \quad (14)$$

It should be noted that all terms in (14) are obtained from a training set of intensity facial images having resolution  $\gamma$ . On the other hand, using (13), the variation ratio for a color-augmentation-based feature subspace is defined as

$$\begin{aligned} J^{\text{lum+chrom}}(\gamma) &= \frac{\text{Var}_{\Phi(\gamma)}(\text{EC}(\gamma))}{\text{Var}_{\Phi(\gamma)}(\text{IC}(\gamma))} \\ &= \frac{\sum_{m=1}^3 \text{Var}_{\Phi_{mm}(\gamma)}(\text{EC}_{mm}(\gamma))}{\sum_{m=1}^3 \text{Var}_{\Phi_{mm}(\gamma)}(\text{IC}_{mm}(\gamma))}. \end{aligned} \quad (15)$$

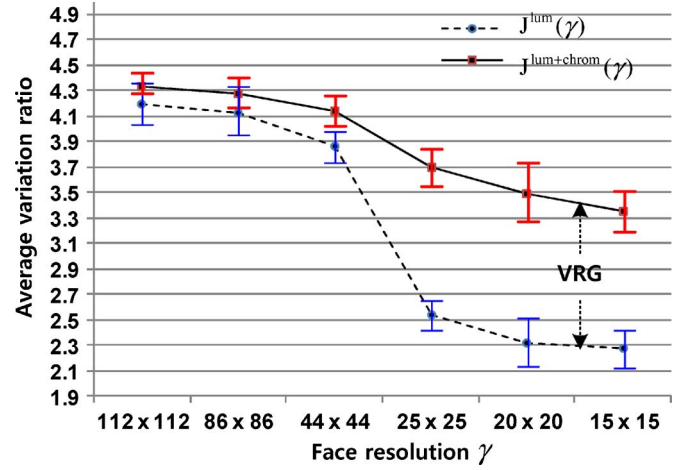


Fig. 2. Average variation ratios and the corresponding standard deviations with respect to six different face-resolution parameters  $\gamma$ . Note that the margin between curves of  $J^{\text{lum}}(\gamma)$  and  $J^{\text{lum+chrom}}(\gamma)$  represents the numerator of VRG defined as in (16).

Finally, a VRG having input argument  $\gamma$  is defined as

$$\text{VRG}(\gamma) = \frac{J^{\text{lum+chrom}}(\gamma) - J^{\text{lum}}(\gamma)}{J^{\text{lum}}(\gamma)} \times 100. \quad (16)$$

$\text{VRG}(\gamma)$  measures the relative amount of variation ratio increased by chromaticity components compared to that from only luminance at face resolution  $\gamma$ . Therefore, it reflects well the degree of the effect of color information on the improved recognition performance with respect to changes in  $\gamma$ .

To validate the effectiveness of VRG as a relevant metric for the purpose of quantization of the color effect along with variations in face resolutions, we conducted an experiment using three standard color face DBs of CMU PIE, FERET, and XM2VTSDB. A total of 5000 facial images were collected from three data sets and were manually cropped using the eye position provided by ground truth. Each cropped facial image was first rescaled to a relatively high resolution of  $112 \times 112$  pixels. To simulate the effect of lowering the face resolution from different distances to the camera, the 5000 facial images with  $112 \times 112$  pixels were first blurred and then subsequently downsampled by five different factors to produce five different lower-resolution facial images [18]. For blurring, we used a point spread function, which was set to a  $5 \times 5$  normalized Gaussian kernel with zero mean and a standard deviation of one pixel. After the blurring and downsampling processing, we obtained six sets, each of which consisted of 5000 facial images with six different face resolutions:  $112 \times 112$ ,  $86 \times 86$ ,  $44 \times 44$ ,  $25 \times 25$ ,  $20 \times 20$ , and  $15 \times 15$  pixels (see Fig. 2). We calculated  $J^{\text{lum}}(\gamma)$  and  $J^{\text{lum+chrom}}(\gamma)$  in (16) over six different face resolution  $\gamma$  parameters. For this, 500 facial images were randomly selected from each set and then used to compute variation ratios by using (14) and (15). The selection process was repeated 20 times so that the variation ratios computed here were the averages of 20 random selections. For luminance and chromaticity components, the  $YCbCr$  color space was adopted since it has been widely used in image (JPEG) and video (MPEG) compression standards.

Experimental results are shown in Fig. 2. In Fig. 2,  $J^{\text{lum}}(\gamma)$  denotes the average variation ratio calculated from luminance face images with resolution  $\gamma$ , i.e., the  $Y$  plane from the  $YC_bC_r$  color space. Furthermore,  $J^{\text{lum+chrom}}(\gamma)$  denotes the average variation ratio computed from  $YC_bC_r$  component configuration samples. To guarantee the stability of measured variation ratios, the standard deviations for all cases of  $J^{\text{lum}}(\gamma)$  and  $J^{\text{lum+chrom}}(\gamma)$  are shown in Fig. 2 as well. As can be seen in Fig. 2, at a high resolution (above  $44 \times 44$  pixels), the margin between  $J^{\text{lum}}(\gamma)$  and  $J^{\text{lum+chrom}}(\gamma)$  is relatively small. This is because the luminance component is even more dominant than two chromaticity components in determining  $J^{\text{lum+chrom}}(\gamma)$ . However, we can observe that  $J^{\text{lum}}(\gamma)$  noticeably falls off at low resolution ( $25 \times 25$  pixels or less) compared to those computed from high-resolution faces (above  $44 \times 44$  pixels). On the other hand,  $J^{\text{lum+chrom}}(\gamma)$  has a slower decay compared with  $J^{\text{lum}}(\gamma)$  even as the face resolution becomes much lower. In particular, when the face resolution  $\gamma$  is below  $25 \times 25$  pixels, the difference between  $J^{\text{lum}}(\gamma)$  and  $J^{\text{lum+chrom}}(\gamma)$  is much larger compared to cases of face resolutions above  $44 \times 44$  pixels. This result is mostly due to the fact that luminance contrast sensitivity drops off at low spatial frequencies much faster than chromatic contrast sensitivity. Hence, two chromaticity components in (15) can compensate a decreased extrapersonal variation caused by luminance faces with low resolution.

## V. EXPERIMENTS

In the practical FR systems, there are two possible FR approaches to perform FR tasks over lower-resolution probe images [13]. The first method is to prepare multiple training sets of multiresolution facial images and then construct multiple feature subspaces, each of which is charged with a particular face resolution of a probe. An alternative method is that a lower-resolution probe is reconstructed to be matched with the prototype resolution of training and gallery facial images by adopting resolution-enhancement or interpolation techniques. The second method would be appropriate in typical surveillance FR applications in which high-quality training and gallery images are usually employed, but probe images transmitted from surveillance cameras (e.g., CCTV) are often at a low resolution. To demonstrate the effect of color on low-resolution faces in both FR scenarios, two sets of experiments have been carried out in our experimentation. The first experiment is to assess the impact of color on recognition performance with varying face resolutions of probe-given multiresolution trained feature subspaces. On the other hand, the second experiment is to conduct the same assessment when a single-resolution feature subspace trained with high-resolution facial images is only available to the actual testing operation.

### A. Face DB for the Experiment and FR Evaluation Protocol

Three de facto standard data sets of CMU PIE, Color FERET, and XM2VTSDDB have been used to perform the experiments. The CMU PIE [32] includes 41 368 color images of 68 subjects (21 samples/subject). Among them, 3805 images have the coordinate information of facial feature points. From these



Fig. 3. (a) Examples of facial images from CMU PIE. These images have illumination variations with “room lighting on” conditions. (b) Examples of facial images from FERET. The first and second rows show image examples of **fa** and **fb** sets. (c) Examples of facial images from XM2VTSDDB. Note that the facial images in each column belong to the same subject, and all facial images are manually cropped using eye coordinate information. Each cropped facial image is rescaled to the size of  $112 \times 112$  pixels.

3805 images, 1428 frontal-view facial images with neutral expression and illumination variations were selected in our experimentation. For one subject, 21 facial images have 21 different illumination variations with “room lighting on” conditions. The Color FERET [33] consists of 11 388 facial images corresponding to 994 subjects. Since the facial images are captured over the course of 15 sessions, there are pose, expression, illumination, and resolution variations for one subject. To support the evaluation of recognition performance in various FR scenarios, the Color FERET is to be divided into five sets: “**fa**,” “**fb**,” “**fc**,” “**dup1**,” and “**dup2**” partitions [33]. The XM2VTSDDB [34] is designed to test realistic and challenging FR with four sessions recorded with no control on severe illumination variations. It is composed of facial images taken on digital video recordings from 295 subjects over a period of one month. Fig. 3 shows examples of facial images selected from three DBs. All facial images shown in Fig. 3 were manually cropped from original images using the eye position provided by a ground truth set.

To construct the training and probe (or test) sets in both sets of experiments, a total of 3192 facial images from 341 subjects were collected from three public data sets. During the collection phase, 1428 frontal-view images of 68 subjects were selected



Fig. 4. Examples of facial images from color FERET according to six different face resolutions. A low-resolution observation below the original  $112 \times 112$  pixels is interpolated using nearest-neighbor interpolation.

from CMU PIE; for one subject, facial images had 21 different lighting variations. From the Color FERET, the 700 frontal-view images of 140 subjects (5 samples/subject) were chosen from the **fa**, **fb**, **fc**, and **dup1** sets. From XM2VTSDB, 1064 frontal-view images of 133 subjects were obtained from two different sessions; each subject included eight facial images that contained illumination and resolution variations. Furthermore, we constructed a gallery set composed of 341 different samples corresponding to 341 different subjects to be identified or verified. Note that, here, gallery images had neutral illumination and expression according to the standard regulation for gallery registration described in [59].

To acquire facial images with varying face resolutions, we carried out resizing over the original collected DB sets. Fig. 4 shows examples of facial images containing face-resolution variations used in our experiments. We took original high-resolution images of faces (shown in the leftmost image of Fig. 4), synthetically blurred them with a Gaussian kernel [41], and then downsampled them so as to simulate a lower resolution effect as closely as possible to practical camera lens. As a result, six different face resolutions of  $112 \times 112$ ,  $86 \times 86$ ,  $44 \times 44$ ,  $25 \times 25$ ,  $20 \times 20$ , and  $15 \times 15$  (pixels) were generated to cover face resolutions that are commonly encountered from practical still-image- to video-based FR applications previously reported in [14]–[16], and [18].

Table I shows the grayscale features, different kinds of color spaces and chromatic features, and spectral component configurations used for our experiments. As shown in Table I, for the grayscale face features, the “R” channel from the RGB color space and the grayscale conversion method proposed in [56] were adopted in our experiments. The R channel of skin-tone color is known to be the best monochrome channel for FR [28], [29]. Moreover, in [56], the  $0.85 \cdot R + 0.10 \cdot G + 0.05 \cdot B$  is reported to be an optimal grayscale conversion method for face detection. For the spectral component configuration features, the  $YC_bC_r$ ,  $YIQ$ , and  $L^*a^*b^*$  color spaces were used in our experimentation. The  $YIQ$  color space defined in the National Television System Committee video standard was adopted. The  $YC_bC_r$  color space is scaled and is the offset version of the  $YUV$  color space [57]. Moreover, the  $L^*a^*b^*$  color space defined in the CIE perceptually uniform color space was used. The detailed description of the used color spaces is given in [57]. As described in [57], the  $YC_bC_r$  and  $YIQ$  color spaces separate RGB into “luminance” (e.g.,  $Y$  from the  $YC_bC_r$  color space) and “chrominance” (or chromaticity) information (e.g.,  $C_b$  or  $C_r$  from the  $YC_bC_r$  color space). In addition, since the  $L^*a^*b^*$  color space is based on the CIE XYZ color space [57], it is separated into “luminance” ( $L^*$ ) and “chromaticity” ( $a^*$  and  $b^*$ ) components. To generate the spectral component

TABLE I  
GRAYSCALE FEATURES AND DIFFERENT KINDS OF COLOR SPACES AND SPECTRAL COMPONENT CONFIGURATIONS USED IN OUR EXPERIMENTATION. NOTE THAT THE GRAYSCALE FEATURE IS COMBINED WITH THE CHROMATIC FEATURES TO GENERATE THE SPECTRAL COMPONENT CONFIGURATIONS

Grayscale feature	R [28-29] from RGB color space
	$R^* = 0.85 \cdot R + 0.10 \cdot G + 0.05 \cdot B$ [56] from RGB color space
Chromatic features	$C_bC_r$ [25] from $YC_bC_r(4:4:4)$ color space
	$IQ$ [25] from $YIQ$ color space
	$a^*b^*$ [25] from $L^*a^*b^*$ color space
Spectral component configurations	$QC_r$ [26] from $YIQ$ and $YC_bC_r(4:4:4)$ color spaces
	$RC_bC_r$ and $R^*C_bC_r$
	$RIQ$ and $R^*IQ$
	$RQC_r$ and $R^*QC_r$
	$Ra^*b^*$ and $R^*a^*b^*$

configurations depicted in Table I, two different chromaticity components from the used color spaces are combined with a selected grayscale component.

For FR experiments, all facial images were preprocessed according to the recommendation of the FERET protocol [33] as follows: 1) Color facial images were rotated and scaled so that the centers of eye were placed on the specific pixels; 2) color facial images were rescaled into one of fixed template size among six different spatial resolutions; 3) a standard mask was applied to remove nonface portions; 4) each spectral component of color facial images was separately normalized to have zero mean and unit standard deviations; 5) each spectral image was transformed to a corresponding column vector; and 6) each column vector was used to form a face vector defined in Section III, which covers both grayscale only and spectral component configurations shown in Table I.

To show the *stability* of the significance of color effect on low-resolution faces regardless of FR algorithms, three representative FR methods, which are PCA, Fisher’s LDA (FLDA), and Bayesian, were employed. In subspace FR methods, the recognition performance heavily relies on the number of linear subspace dimensions (feature dimension) [50]. Thus, the subspace dimension was carefully chosen and then fixed over six different face resolutions to make a fair comparison of performance. For PCA, the PCA process in FLDA, and Bayesian, a well-known 95% energy capturing rule [50] was adopted to determine subspace dimension. In these experiments, the number of training samples was 1023 facial images so that the subspace dimension was experimentally determined as 200 to satisfy the 95% energy capturing rule. Mahalanobis [51],

Euclidean distances, and “maximum *a posteriori* probability” were used for similarity metrics in PCA, FLDA, and Bayesian, respectively.

In FR tasks, the recognition performance results can be reported for identification and verification (VER). Identification performance is usually plotted on a cumulative match characteristic (CMC) curve [33]. The horizontal axis of the CMC curves is the rank, while the vertical axis is the identification rate. The best found correct recognition rate (BstCRR) [50] was adopted as the identification rate for fair comparison. For the VER performance, the receiver operating characteristic (ROC) [52] curve is popular. The ROC curve plots the face VER rate (FVR) versus the false accept rate (FAR). For an experimental protocol, the collected set of 3192 facial images was randomly partitioned into two sets: training and probe (or test) sets. The training set consisted of (3 samples  $\times$  341 subjects) facial images, with the remaining 2169 facial images for the probe set. There was no overlapping between the two sets for an evaluation of the used FR algorithms’ *generalization* performance with regard to the color effect on face resolution. To guarantee the reliability of the evaluation, 20 runs of random partitions were executed, and all of the experimental results reported here were averaged over 20 runs.

### B. Experiment 1: To Assess the Impact of Color in Multiresolution Trained Feature Subspace FR Scenario

In experiment 1, it should be noted that the face resolution of each pair of training, gallery, and probe sets were all the same. Since six different face resolutions were used, each feature subspace was trained with a respective set of facial images whose spatial resolution was one of six different kinds. We performed the comparative experiment to compare the recognition performances between the two different grayscale features depicted in Table I. Our experimentation indicates that the R grayscale [28], [29] shows a better performance for most of the face resolutions, as shown in Fig. 4, in the PCA, FLDA, and Bayesian methods. However, the performance difference between the two grayscale configurations is marginal. Thus, R was selected as the grayscale feature of choice for the experiments aiming to the effect of color on low-resolution faces. In addition, “RQC<sub>r</sub>” shows the best BstCRR performance of all kinds of spectral component configurations represented in Table I in all face resolutions and the three FR algorithms. This result is consistent with a previous one [26] that reported that “QC<sub>r</sub>” is the best chromaticity component in the FR grand challenge DB and evaluation framework [33]. Hence, RQC<sub>r</sub> was chosen as a color feature in the following experiments.

Fig. 5 shows the CMC curves for the identification rate (or BstCRR) comparisons between the grayscale and color features with respect to six different face resolutions in the PCA, FLDA, and Bayesian FR methods. As can be seen in CMC curves obtained from the grayscale R feature (in the left side of Fig. 5), the differences in BstCRR between face resolutions of  $112 \times 112$ ,  $86 \times 86$ , and  $44 \times 44$  pixels are relatively marginal in all three FR methods. However, the BstCRRs obtained from a low resolution of  $25 \times 25$  pixels and below tend to be significantly deteriorated in all three FR methods. For example,

for PCA, FLDA, and Bayesian methods, the rank-one BstCRRs (identification rate of top response being correct) decline from 77.20%, 83.69%, and 82.46% to 56.03%, 37.29%, and 62.32%, respectively, as face resolution is reduced from  $112 \times 112$  to  $15 \times 15$  pixels.

In case of CMC curves from the RQC<sub>r</sub> color feature (on the right side of Fig. 5), we can first observe that color information improves the BstCRR compared with grayscale features over all face resolutions in all three FR algorithms. In particular, it is evident that color features make a substantial enhancement of the identification rate as face resolutions are  $25 \times 25$  pixels and below. In PCA, 56.03%, 59.81%, and 60.97% of rank-one BstCRRs for  $15 \times 15$ ,  $20 \times 20$ , and  $25 \times 25$  grayscale faces increase to 69.70%, 62.16%, and 75.14%, respectively, by incorporating color feature QC<sub>r</sub>. In FLDA, the color feature raises rank-one BstCRRs from 37.29%, 49.72%, and 56.48% to 62.16%, 74.64%, and 77.45% for  $15 \times 15$ ,  $20 \times 20$ , and  $25 \times 25$  face resolutions, respectively. Furthermore, in Bayesian, rank-one BstCRRs increase from 62.23%, 69.17%, and 71.05% to 75.14%, 82.46%, and 84.07% for  $15 \times 15$ ,  $20 \times 20$ , and  $25 \times 25$  face resolutions, respectively.

To demonstrate the color effect on the VER performance according to face-resolution variations, the ROC curves are shown in Fig. 6. We followed the protocol of FRVT [52] to compute the FVR to the corresponding FAR ranging from 0.1% to 100%, and the z-score normalization [54] technique was used. Similar to the identification performance in Fig. 6, face color information significantly improves the VER performance at low-resolution faces ( $25 \times 25$  pixels and below) compared with high-resolution ones. For example, when facial images with a high resolution of  $112 \times 112$  pixels are applied to PCA, FLDA, and Bayesian, 5.84%, 4.04%, and 2.18% VER enhancements at a FAR of 0.1% are attained from the color feature in PCA, FLDA, and Bayesian methods, respectively. On the other hand, in case of a low resolution of  $15 \times 15$  pixels, the color feature achieves 19.46%, 38.58%, 15.90% VER improvement at the same FAR for the respective method.

Table II shows the comparison results of VRGs defined in (16) with respect to six different face resolutions in PCA. The  $VRG(\gamma)$  for each face resolution  $\gamma$  has been averaged over 20 random selections of 1023 training samples generated from 3192 collected facial images. The corresponding standard deviation for each  $VRG(\gamma)$  is also given to guarantee the *stability* of the  $VRG(\gamma)$  metric. From Table II, we can see that  $VRG(\gamma)$  computed from high-resolution facial images (higher than  $44 \times 44$  pixels) are relatively small compared with those from low-resolution images ( $25 \times 25$  pixels or lower). This result is largely attributed to the dominance of grayscale information at high-resolution facial images to build intra- and extrapersonal variations in the feature subspace, so that the contribution of color is comparatively small. Meanwhile, in low-resolution color faces,  $VRG(\gamma)$  becomes much larger, since color information can *boost* the decreased extrapersonal variation, thanks to its resolution-invariant contrast characteristic and independent impact on constructing variations of feature subspace [20]. The results in Table II verify that face color features play a supplement role in maintaining an extrapersonal variation of feature subspace against face-resolution reduction.



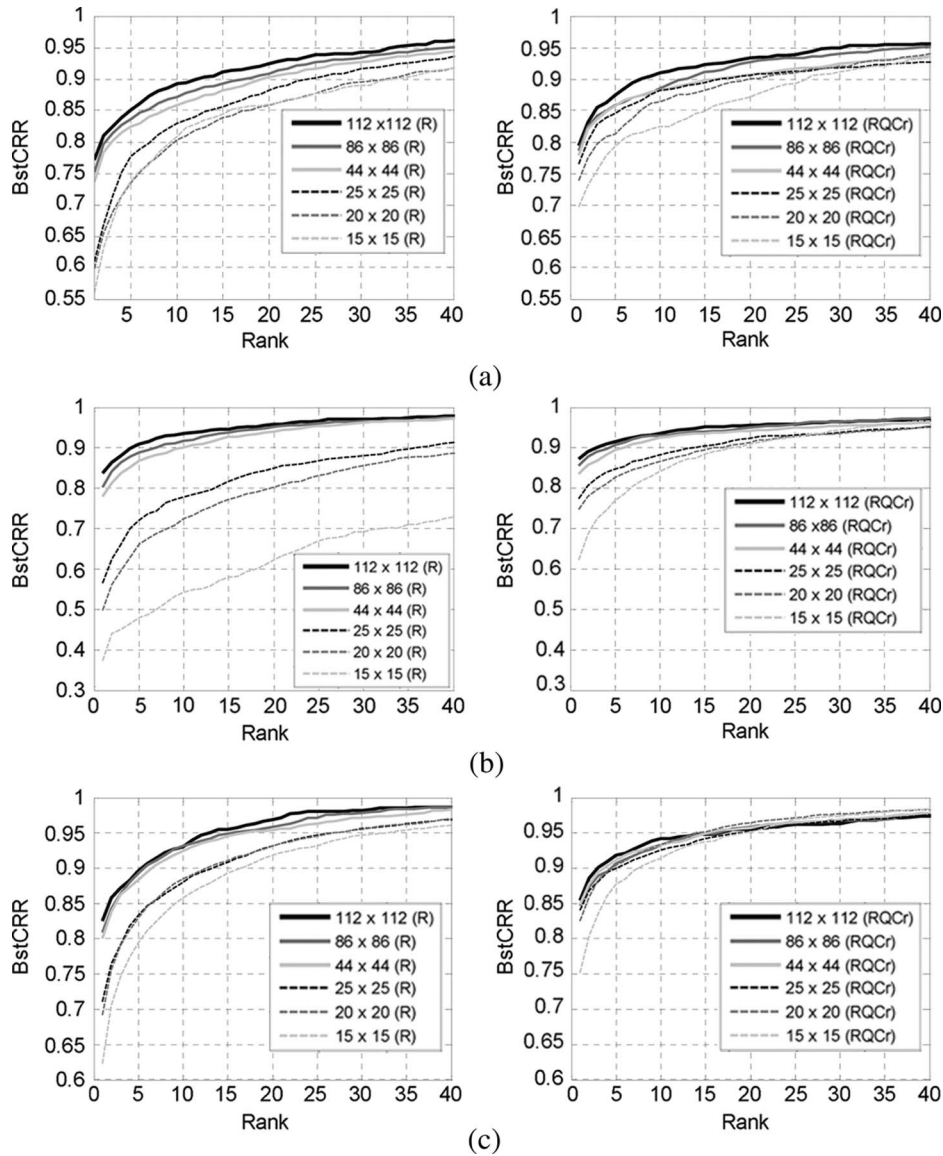


Fig. 5. Identification rate (or BstCRR) comparison between grayscale and color features with respect to six different face resolutions of each pair of training, gallery, and probe facial images in the three FR methods. The graphs on the left side resulted from grayscale feature R, while those on the right side were generated from color feature  $RQCr$  for each face resolution. (a) PCA. (b) FLDA. (c) Bayesian.

*C. Experiment 2: To Assess the Impact of Color in a Single-Resolution Trained Feature Subspace FR Scenario*

In the practical subspace-based FR applications with face-resolution constraints (e.g., video surveillance), a single feature subspace is usually provided to perform identification or VER tasks on probes. It is reasonable to assume that the feature subspace is pretrained with relatively high-resolution face images [13]. On the other hand, the probes to be tested may have lower and various face resolutions due to heterogeneous acquisition conditions. Therefore, the objective of Experiment 2 is to evaluate the color effect on recognition performance in the FR scenario where high-resolution training images are used to construct a single feature subspace, while probe images have various face resolutions. In Experiment 2, the face resolution of training images was fixed as  $112 \times 112$  pixels, while the resolution of probe was varied as six different resolutions, as shown in Fig. 4. Since the high-quality gallery images are

usually preregistered in FR systems before testing probes [33], we assume that the resolution of gallery is the same as the training facial images, i.e.,  $112 \times 112$  pixels. In Experiment 2, R from the RGB color space was used as a grayscale feature. Due to the best performance from Experiment 1,  $RQCr$  was adopted as a color feature.

Fig. 7 shows the CMC curves with respect to six different probe resolutions in both cases of grayscale (in the left side) and color features (in the right side) in PCA, FLDA, and Bayesian. To obtain a low-dimensional feature representation for a lower face-resolution probe, the probe has been upsampled to have the same resolution of training faces by using a cubic interpolation technique in Fig. 7. From Fig. 7, in case of a grayscale feature, we can see a considerable identification rate degradation in all three FR methods, considering low-resolution ( $25 \times 25$  pixels and below) probes compared with relatively high-resolution counterparts (above  $44 \times 44$  pixels). In particular, similar to the

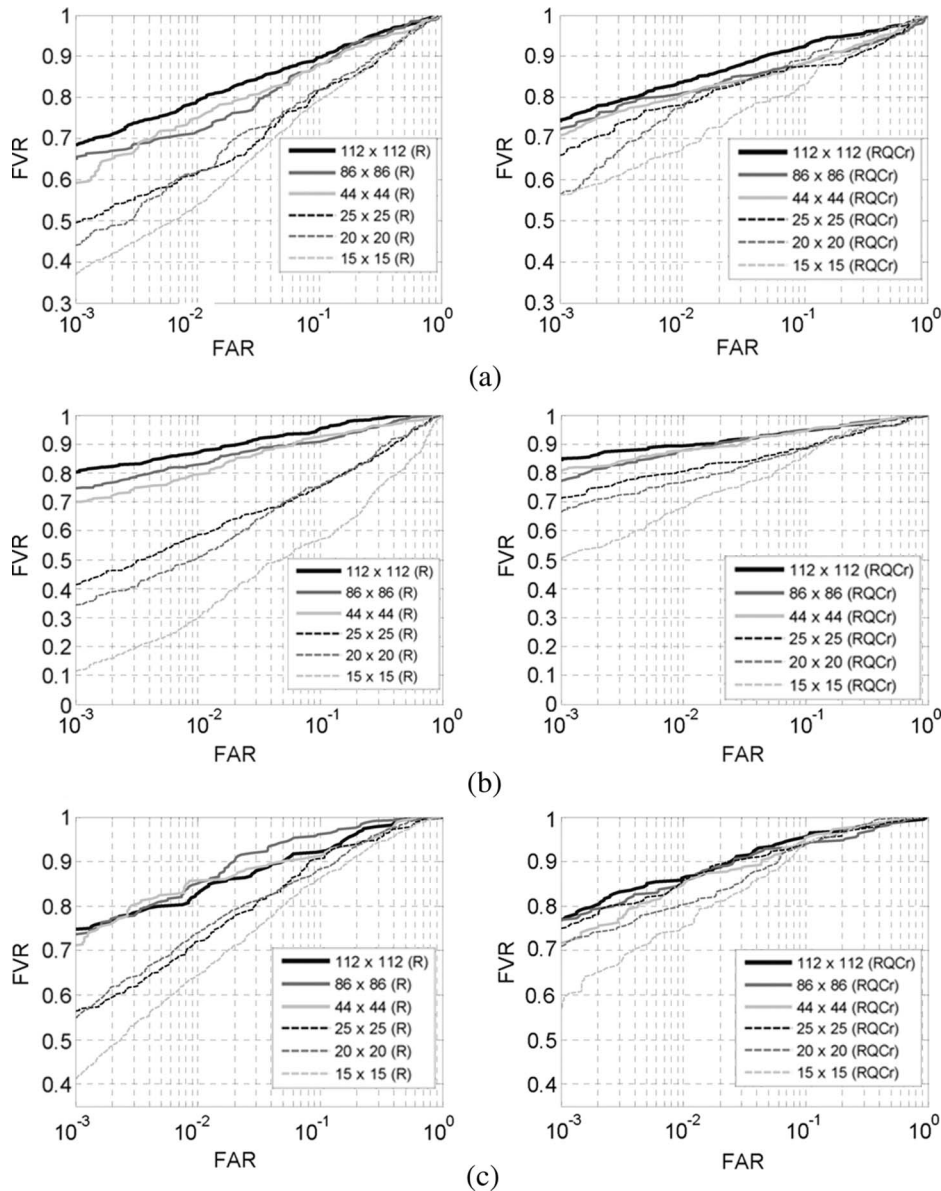


Fig. 6. FVR comparison at FAR ranging from 0.1% to 100% between grayscale and color features with respect to six different face resolutions in the three FR algorithms. The graphs on the left side came from grayscale feature R, while those on the right side were obtained from color feature  $RQCr$ , for each face resolution. Note that the z-score normalization technique was used to compute FVR and FAR. (a) PCA. (b) FLDA. (c) Bayesian.

TABLE II  
COMPARATIVE EVALUATION OF VRGs DEFINED IN (16) WITH RESPECT TO SIX DIFFERENT FACE RESOLUTIONS OF TRAINING IMAGES IN PCA. GRAYSCALE AND COLOR FEATURES USED FOR COMPUTATION OF VRGs ARE R AND  $RQCr$ , RESPECTIVELY. NOTE THAT THE UNIT OF VRGs IS PERCENT

Face resolution $\gamma$	112 x 112	86 x 86	44 x 44	25 x 25	20 x 20	15 x 15
VRG( $\gamma$ )	4.20%	4.54%	6.80%	51.20%	48.90%	47.20%
Std. Dev.	1.55%	1.78%	2.56%	4.12%	4.20%	3.31%

results from Experiment 1, the identification rate resulting from FLDA is significantly deteriorated at low-resolution probes. The margins of a rank-one identification rate between  $112 \times 112$  and each  $25 \times 25$ ,  $20 \times 20$ , and  $15 \times 15$  pixel grayscale probe in FLDA are 25.66%, 43.77%, and 62.41%, respectively. In case of a color feature, the BstCRR improvement is made at all probe face resolutions in all three FR algorithms. As expected, face color information greatly improves the identi-

fication performance obtained from low-resolution probes ( $25 \times 25$  pixels and below) compared with grayscale feature. In PCA, by incorporating a color feature, the BstCRR margins between a grayscale probe of the  $112 \times 112$  resolution and a color probe of the  $25 \times 25$ ,  $20 \times 20$ , and  $15 \times 15$  resolutions are reduced to 3.33%, 4.77%, and 8.02%, respectively. In FLDA, these differences are decreased to 6.65%, 7.28%, and 11.60% at  $25 \times 25$ ,  $20 \times 20$ , and  $15 \times 15$  resolutions, respectively.

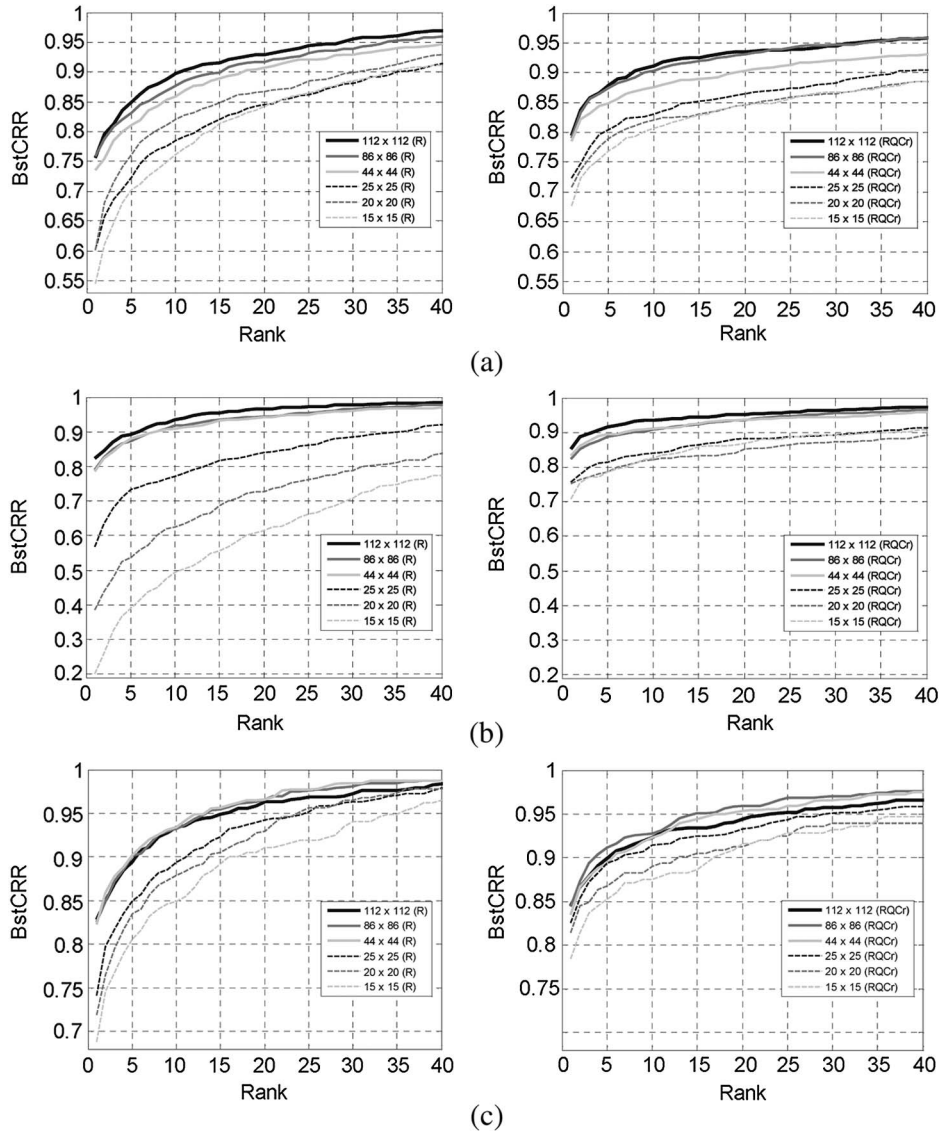


Fig. 7. Identification rate comparison between grayscale and color features with respect to six different face resolutions of probe images. The graphs on the left side resulted from  $R$  as a grayscale feature from the RGB color space, while those on the right side were generated from  $RQC_r$  as a color feature for each face resolution. Note that a single feature subspace trained with face images having a resolution of  $112 \times 112$  pixels was given to test probe images with varying face resolutions. (a) PCA. (b) FLDA. (c) Bayesian.

In addition, in Bayesian, 1.47%, 2.61%, and 5.64% performance margin decreases are achieved with the aforementioned three different probe resolutions, thanks to the color feature.

Table III presents the FVRs at a FAR of 0.1% obtained from the  $R$  grayscale and  $RQC_r$  color features with respect to six different face resolutions of probes in three FR methods. Similar to the identification rates shown in Fig. 7, the color feature has a great impact on the FVR improvement at low-resolution faces ( $25 \times 25$  pixels and below) in all three FR algorithms. In case of  $15 \times 15$  probe resolutions in PCA, FLDA, and Bayesian, the color feature makes FVR improvements of 15.67%, 54.05%, and 15.62% at a FAR of 0.1%, respectively, in comparison with corresponding FVRs from grayscale probes.

## VI. DISCUSSION AND CONCLUSION

According to the results from Experiments 1 and 2, there was a commonly harsh drop-off of identification and VER rates

caused by a low-resolution grayscale image ( $25 \times 25$  pixels or less) in PCA, FLDA, and Bayesian methods. Considering the performance sensitivity depending on variations in face resolution, FLDA is found to be the weakest to low-resolution grayscale faces ( $25 \times 25$  pixels and below) of all three methods. As shown in the CMC curves on the left side of Figs. 5(b) and 7(b), the margins of identification rates between  $112 \times 112$  and  $15 \times 15$  pixels were even 46.40% and 62.41%, respectively. The underlying reason behind such weakness is that optimal criteria used to form the feature subspace in FLDA takes strategy with emphasis on the extrapersonal variation by attempting to maximize it. Therefore, the recognition performance in FLDA is even more sensitive to the portion of extrapersonal variation in the feature subspace compared with the other two methods. Since grayscale features from much-lower-resolution images have a difficulty in providing a sufficient amount of extrapersonal variation to the construction of the feature subspace, the recognition performance could significantly

TABLE III  
FVR COMPARISONS AT A FAR OF 0.1% BETWEEN GRAYSCALE AND COLOR FEATURES WITH RESPECT TO SIX DIFFERENT FACE RESOLUTIONS OF PROBE IMAGES IN THE THREE FR ALGORITHMS. R FROM THE RGB COLOR SPACE WAS USED AS A GRAYSCALE FEATURE, WHILE THE RQC<sub>r</sub> CONFIGURATION WAS EMPLOYED AS A COLOR FEATURE. NOTE THAT THE z-SCORE NORMALIZATION WAS USED TO COMPUTE FVR VERSUS FAR

FR algorithms (feature)	Face resolution					
	112 x 112	86 x 86	44 x 44	25 x 25	20 x 20	15 x 15
PCA ('R')	68.65%	65.65%	64.01%	41.89%	44.86%	40.01%
PCA ('RQC <sub>r</sub> ')	72.23%	75.13%	68.37%	62.16%	62.43%	55.67%
FLDA ('R')	78.64%	76.75%	75.94%	32.70%	28.91%	10.81%
FLDA ('RQC <sub>r</sub> ')	83.51%	80.00%	77.57%	69.45%	69.72%	64.86%
Bayesian ('R')	79.16%	75.19%	76.33%	65.72%	62.72%	52.70%
Bayesian ('RQC <sub>r</sub> ')	82.06%	78.32%	77.18%	76.56%	74.10%	68.32%

be decreased. On the contrary, thanks to the color's boosting characteristic of the extrapersonal variation, color features in FLDA outperformed by 24.86% and 50.81% margins in case of  $15 \times 15$  pixels, compared with corresponding grayscale images, as shown in Figs. 5(b) and 7(b), respectively. As another interesting finding, Bayesian is more robust to face-resolution variations than PCA and FLDA. For example, from the CMC curves in the left side of Fig. 7, the performance difference between  $112 \times 112$  and  $25 \times 25$  pixels was not so even with 8.54% compared with 15.40% and 25.66% obtained from PCA and FLDA, respectively. A plausible reason under such robustness lies in the fact that Bayesian depends more on the statistical distribution of the intrapersonal variation rather than the extrapersonal variation [30], [37] so that the recognition performance is less likely affected by the reduction of the extrapersonal variation caused by low-resolution images.

Traditionally, low-resolution FR modules have extensively been used in video-surveillance-like applications. Recently, FR applications in the web environment are getting increasing attention due to the popularity of online social networks (e.g., Myspace and Facebook) and their high commercialization potentials [4]–[7]. Under a web-based FR paradigm, many devices such as cellular phone cameras and web cameras often produce low-resolution or low-quality face images which, however, can be used for recognition purposes [4], [5]. As shown in our experimentation, color-based FR outperforms grayscale-based FR over all face resolutions. In particular, thanks to color information, both identification and VER rates obtained by using low-resolution  $25 \times 25$  or  $20 \times 20$  templates are comparable to rates obtained by using much larger grayscale images such as  $86 \times 86$  pixels. Moreover, as shown in Fig. 3, the face DB, which is used in our experimentation, contains images obtained under varying illumination conditions. Hence, the robustness of color in low-resolution FR appears to be stable with respect to the variation in illumination, at least, in our experimentation. These results demonstrate that facial color can reliably and effectively be utilized in real-world FR systems of practical interest, such as video surveillance and promising web applications, which frequently have to deal with low-resolution face images taken under uncontrolled illumination conditions.

## APPENDIX

Let  $I\Phi_{mm}$  and  $I\Lambda_{mm}$  be eigenvector and corresponding diagonal eigenvalue matrices of  $IC_{mm}$  in (9), where  $m = 1, 2, 3$ . That is

$$I\Phi_{mm}^T IC_{mm} I\Phi_{mm} = I\Lambda_{mm}. \quad (\text{A.1})$$

Using  $I\Phi_{mm}$  ( $m = 1, 2, 3$ ), we define a block diagonal matrix  $Q$  given by

$$Q = \text{diag}(I\Phi_{11}, I\Phi_{22}, I\Phi_{33}). \quad (\text{A.2})$$

Note that  $Q$  is an orthogonal matrix. Using (8) and (A.2), we now define matrix IS as

$$\begin{aligned} \text{IS} &= Q^T \text{IC} Q \\ &= \begin{bmatrix} I\Lambda_{11} & I\Phi_{11}^T \text{IC}_{12} I\Phi_{22} & I\Phi_{11}^T \text{IC}_{13} I\Phi_{33} \\ I\Phi_{22}^T \text{IC}_{21} I\Phi_{11} & I\Lambda_{22} & I\Phi_{22}^T \text{IC}_{23} I\Phi_{33} \\ I\Phi_{33}^T \text{IC}_{31} I\Phi_{11} & I\Phi_{33}^T \text{IC}_{32} I\Phi_{22} & I\Lambda_{33} \end{bmatrix}. \end{aligned} \quad (\text{A.3})$$

IS in (A.3) is *similar* to IC since there exists an invertible matrix  $Q$  satisfying  $\text{IS} = Q^{-1} \text{IC} Q = Q^T \text{IC} Q$ , where  $Q^{-1} = Q^T$ . Due to their *similarity*, IS and IC have the same eigenvalues and trace value, so that  $\text{tr}(\text{IS}) = \text{tr}(\text{IC})$ . Note that  $\text{tr}(I\Lambda_{mm})$  is the sum of all the eigenvalues of  $IC_{mm}$ . Using  $\text{tr}(\text{IS}) = \text{tr}(\text{IC})$ ,  $\text{tr}(\text{IC})$  can be expressed as

$$\text{tr}(\text{IC}) = \sum_{m=1}^3 \text{tr}(I\Lambda_{mm}). \quad (\text{A.4})$$

A similar derivation to (A.1)–(A.3) is also readily applied to EC shown in (8). That is,  $\text{tr}(\text{EC})$  can be represented as

$$\text{tr}(\text{EC}) = \sum_{m=1}^3 \text{tr}(E\Lambda_{mm}) \quad (\text{A.5})$$

where  $E\Lambda_{mm}$  ( $m = 1, 2, 3$ ) is a diagonal eigenvalue matrix of  $EC_{mm}$ .

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